

# A High-Level Synthesis Flow for Custom Instruction Set Extensions for Application-Specific Processors

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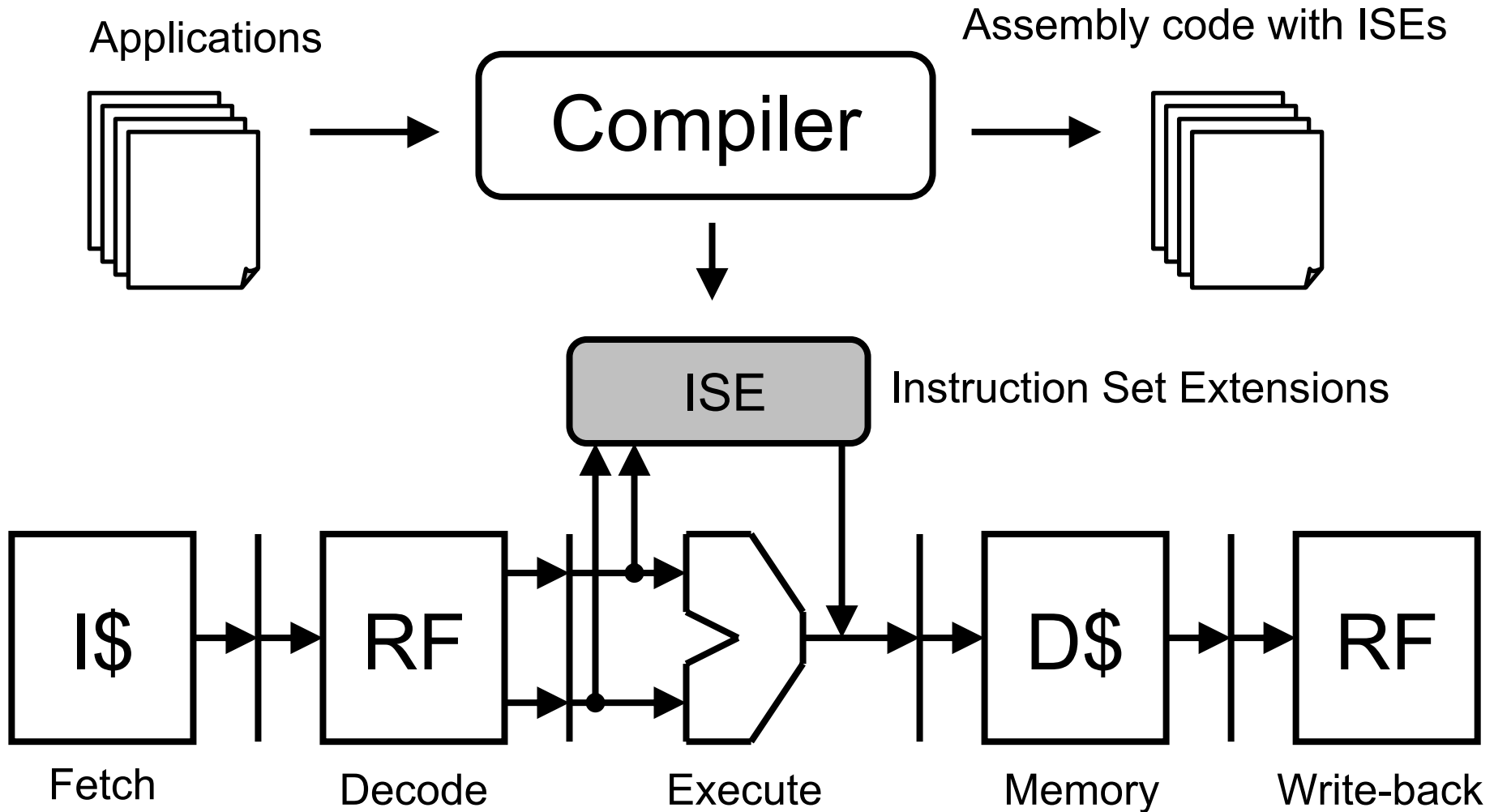
Paolo Ienne  
EPFL

Anshul Kumar  
IIT Delhi

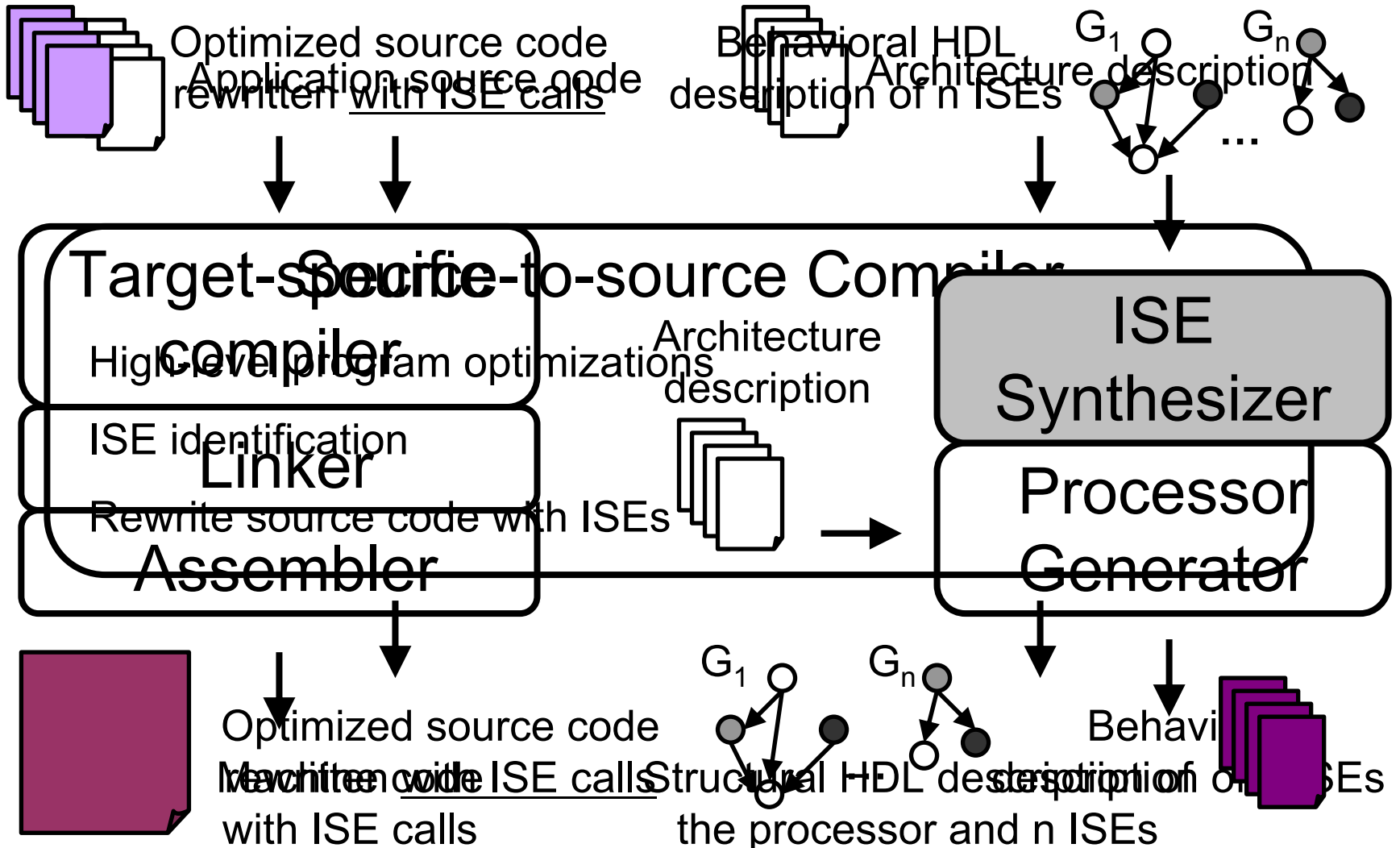
Kolin Paul  
IIT Delhi

Asia and South Pacific Design Automation Conference  
Taipei, Taiwan R.O.C. January 21, 2010

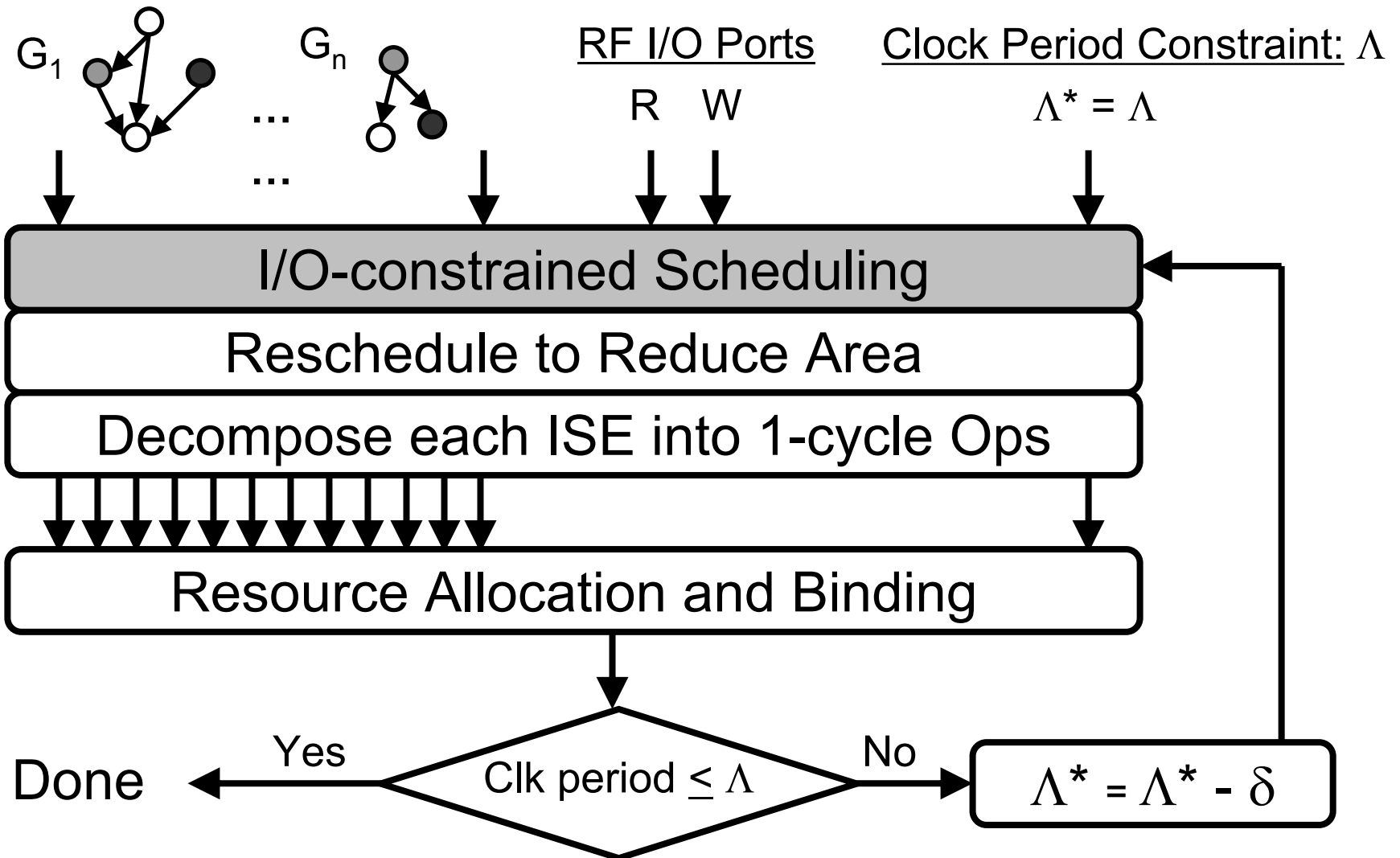
# Extensible Processors



# Compilation Flow

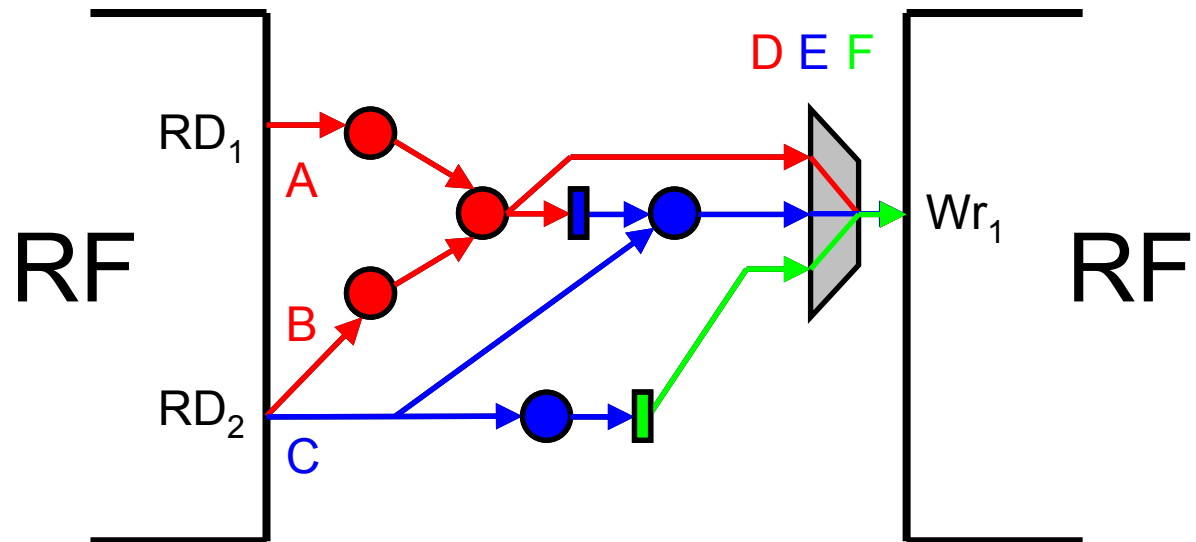
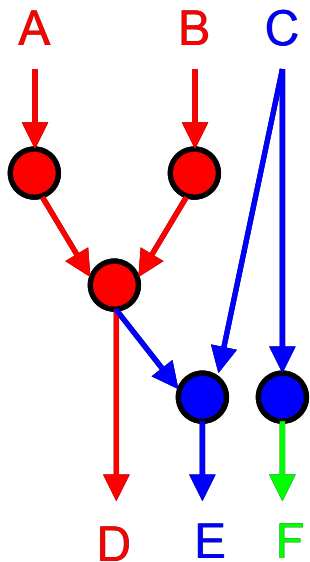


# ISE Synthesis Flow

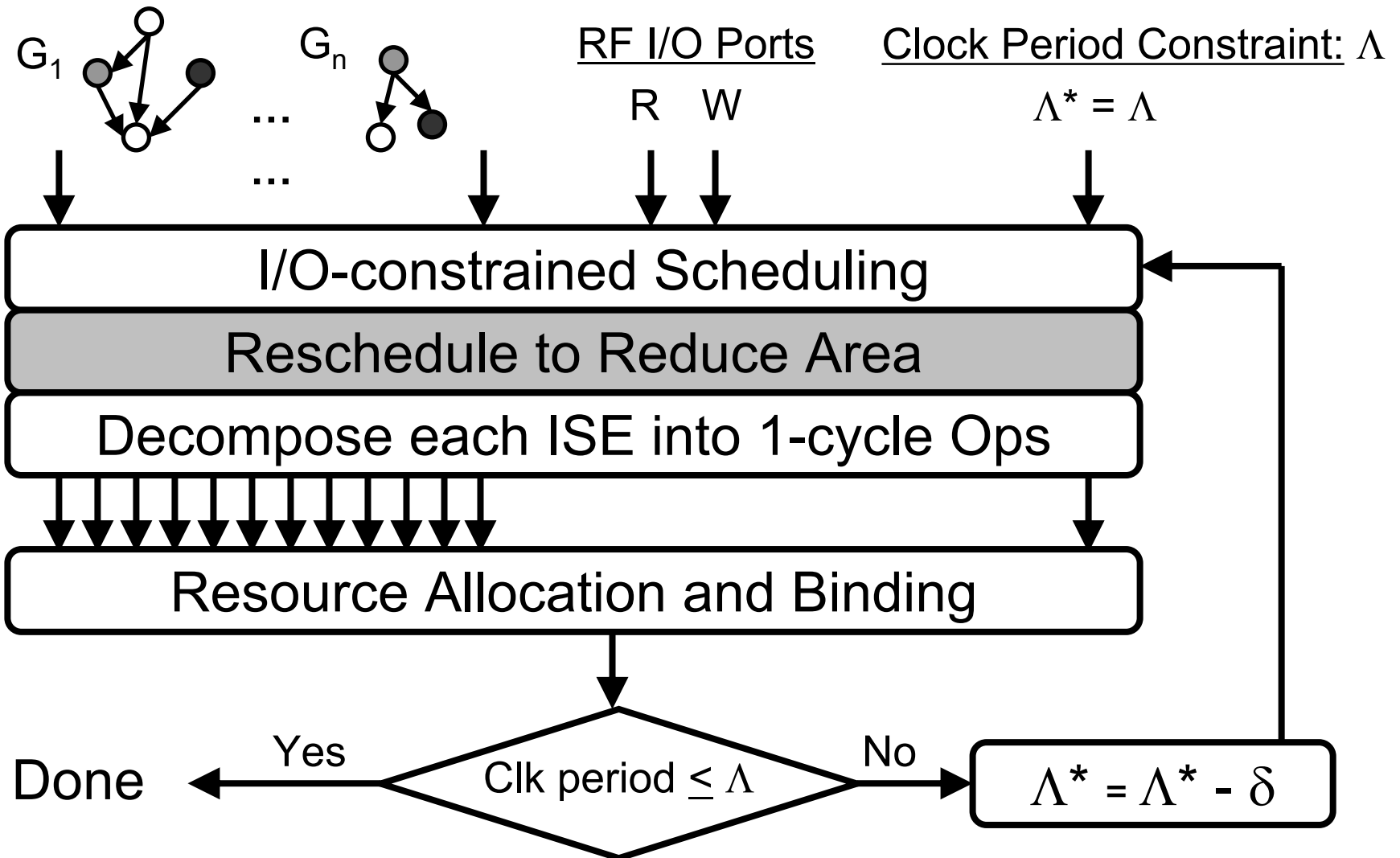


# I/O-constrained Scheduling

- I/O ports are a resource constraint
  - Resource-constrained scheduling is NP-complete
  - Optimal algorithm [Pozzi and Ienne, CASES '05]

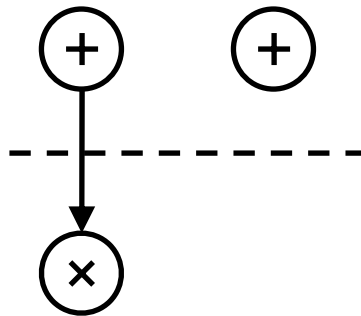


# ISE Synthesis Flow

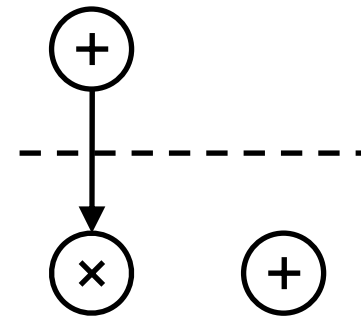


# Reschedule to Reduce Area

- Goal:
  - Minimize area
- Constraints:
  - Do not increase latency or clock period
  - I/O constraints
- Implementation:
  - Simulated annealing (details in the paper)

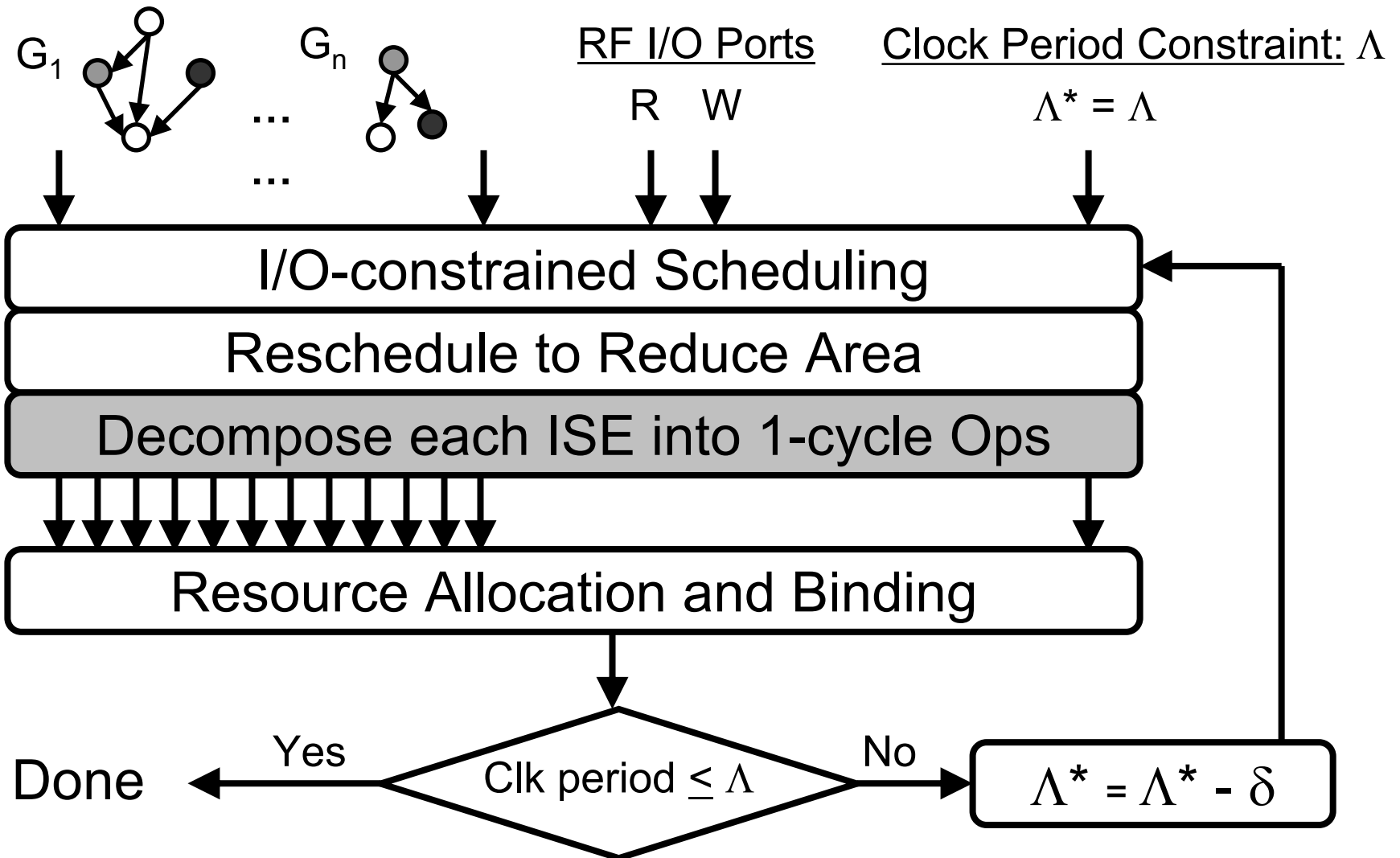


2 Adders, 1 Multiplier



1 Adder, 1 Multiplier

# ISE Synthesis Flow



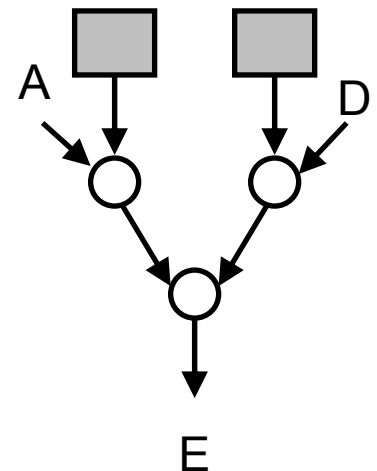
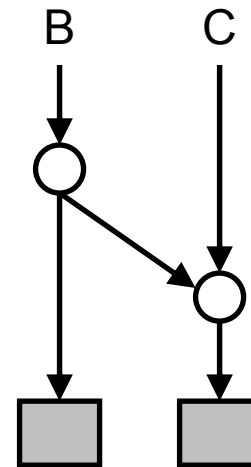
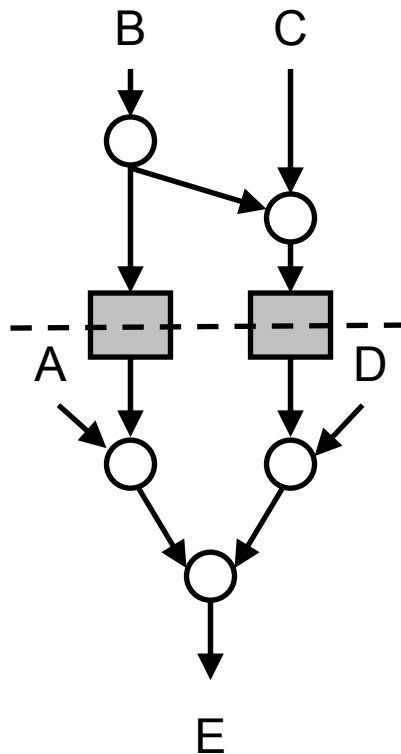
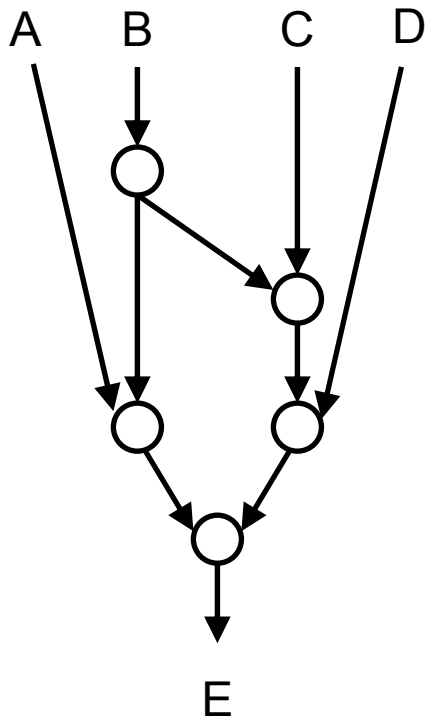


# Decompose each ISE into Single-Cycle Operations

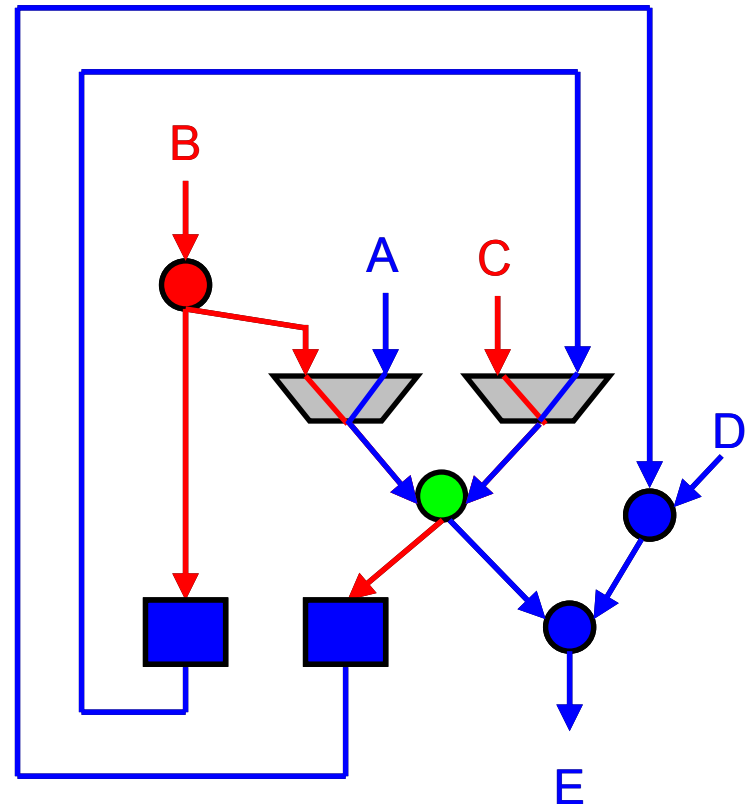
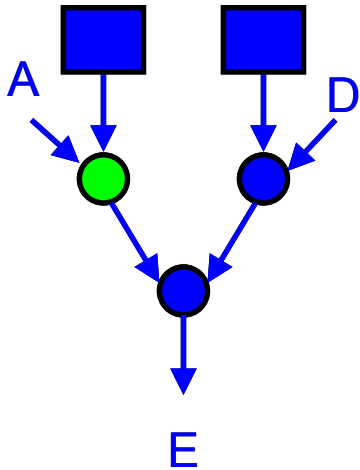
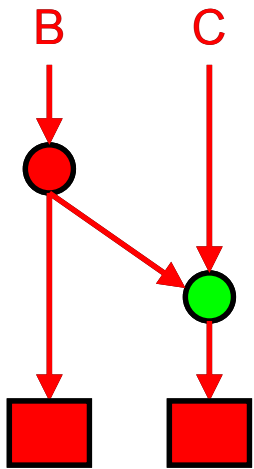
ISE

After Scheduling

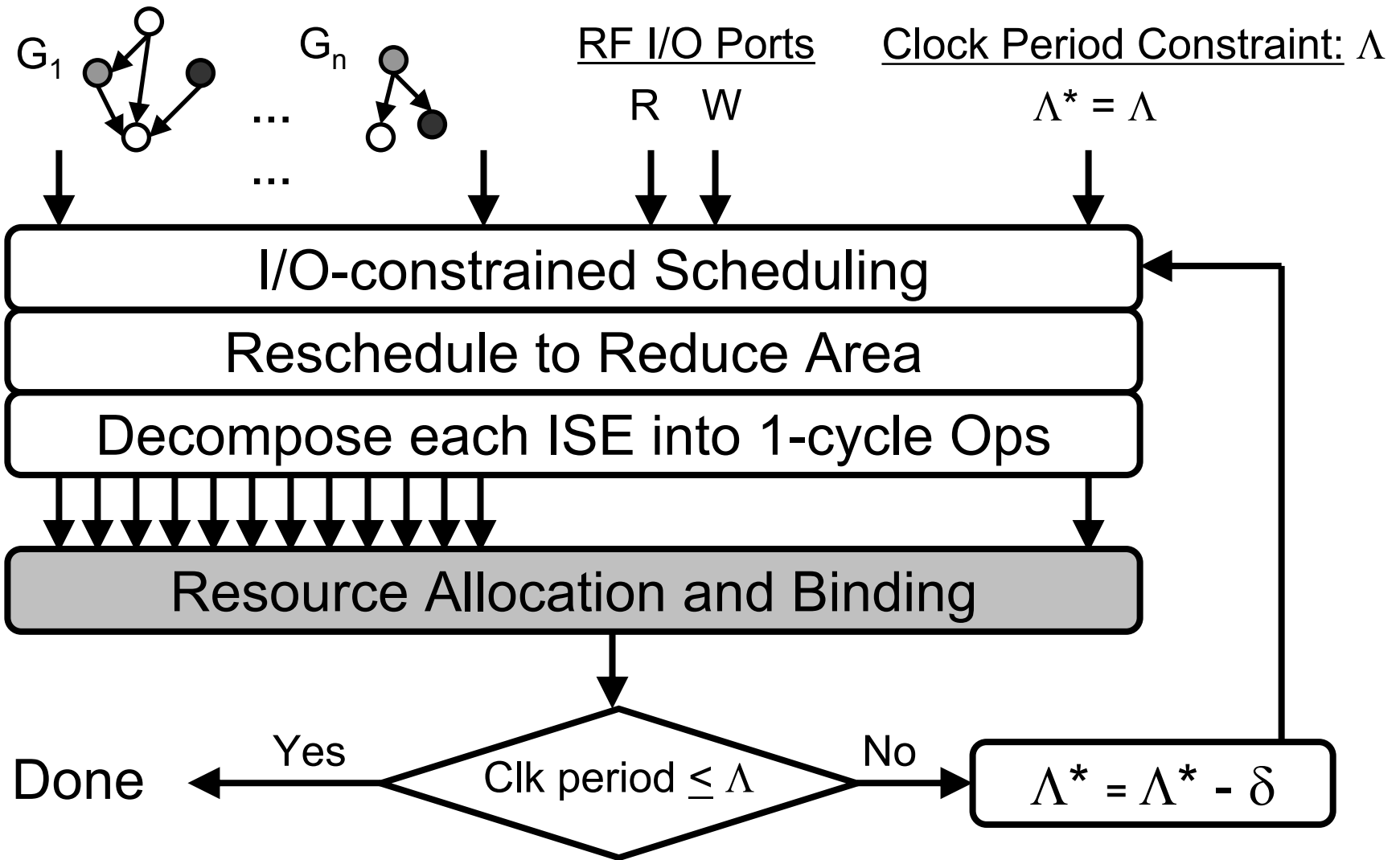
1-cycle Ops



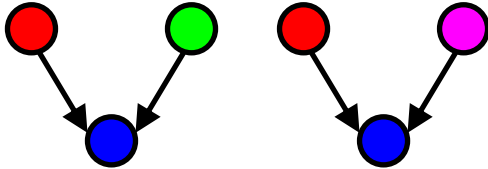
# Decomposition Facilitates Resource Sharing within an ISE



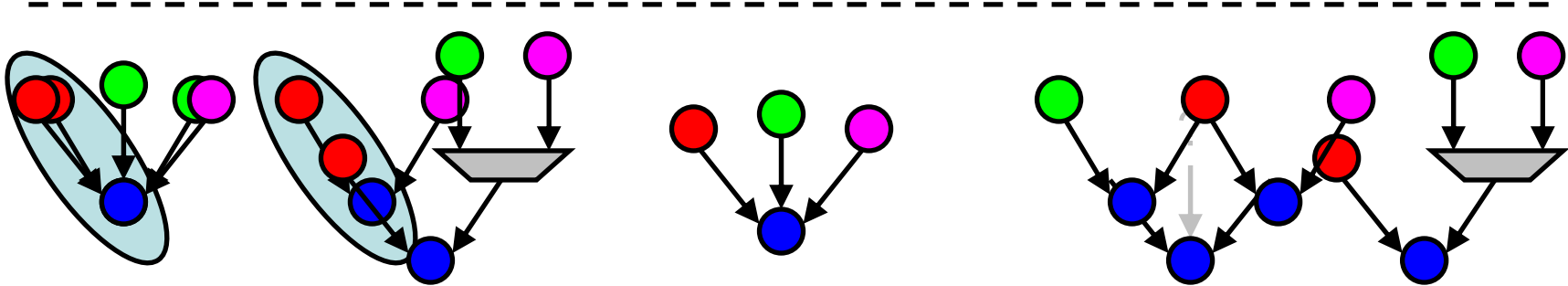
# ISE Synthesis Flow



# Resource Allocation and Binding



Two 1-cycle ISEs



Minimum cost common supergraph

Higher cost common supergraph

Maximum-cost weighted

Weighted minimum-cost

2-input operation

Requires a multiplexer

No multiplexers needed

common isomorphic

common supergraph

(Multiplexers required)

subgraph problem

(WMCS) problem

Which solution is better?  
 Depends on the cost of the multiplexers compared to the merged operations!

NP-c

(Grap

-SI)

# Datapath Merging (DPM)

- Old problem formulation
  - Based on WMCS problem (graph theory)
    - NP-complete [Bunke et al., ICIP '02]
  - Share as many operations/interconnects as possible
    - [Moreano et al., TCAD '05; de Souza e al., JEA '05]
  - Optimize port assignment as a post-processing step
    - NP-complete [Pangrle, TCAD '91]
    - Heuristic [Chen and Cong, ASPDAC '04]

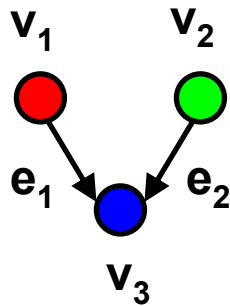
- Contribution: New problem formulation
  - Accounts for multiplexer cost and port assignment

# New DPM Algorithms

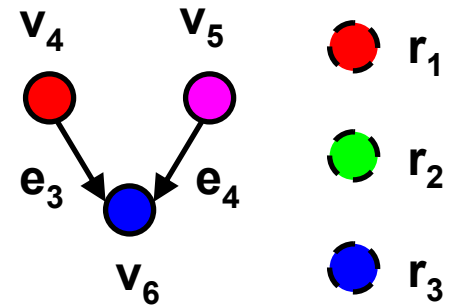
- ILP Formulation
  - See the paper for details
- Reduction to Max-Clique Problem
  - Extends [Moreano et al., TCAD '05]
    - Solve Max-Clique problem optimally using “Cliquer”
  - Identify isomorphic subgraphs up-front
    - Merge isomorphic subgraphs rather than vertices/edges
    - (Details in the paper)

# Example

New ISE fragment to merge



Partial merged datapath



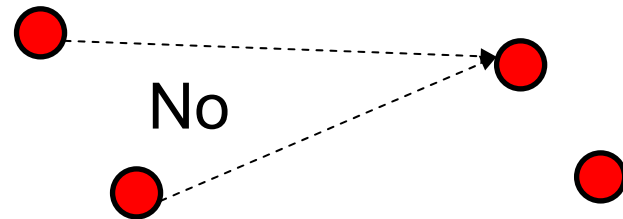
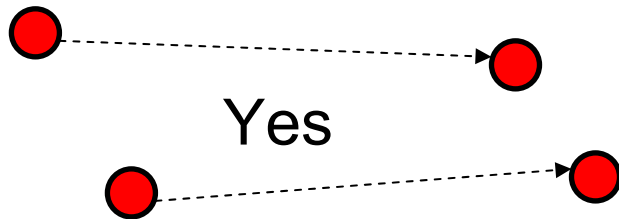
Vertex mappings:

$e_1$  mapped to  $e_3$ ,  $(v_4, r_3)$ ,  $(r_1, v_5)$ ,  $(r_1, r_3)$

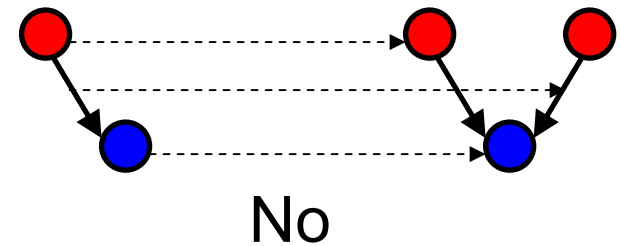
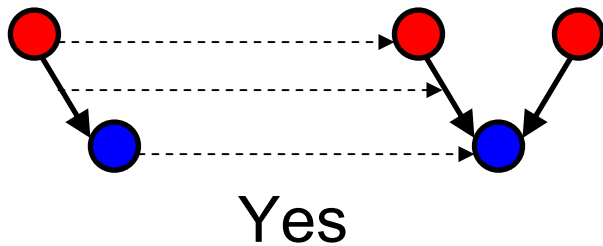
Must be compatible with vertex mappings  $r_1$

# Compatibility

– Vertex/vertex compatibility

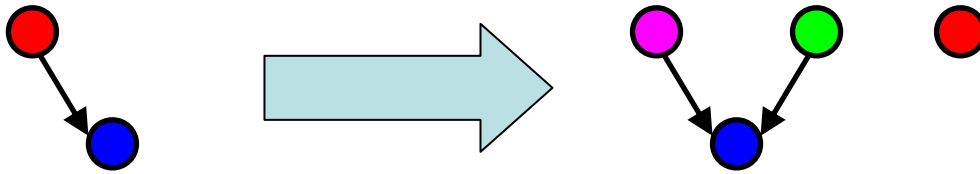


– Vertex/edge compatibility

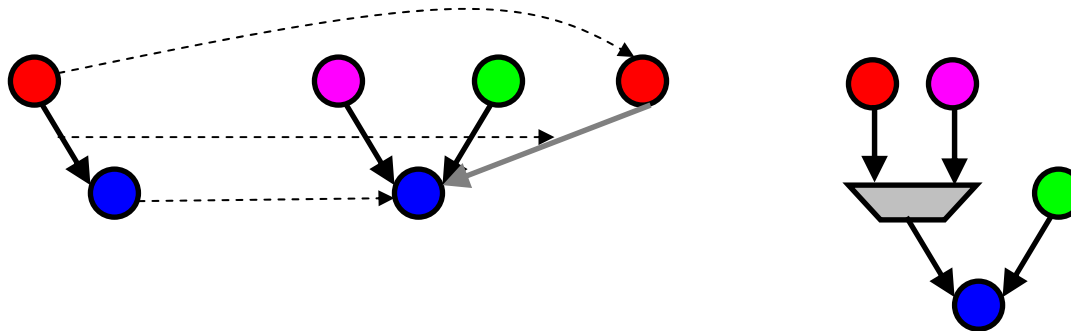




# Why Edge Mappings?

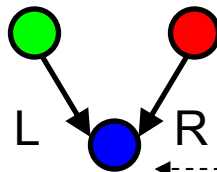
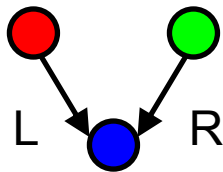


- Allocate an edge in the merged datapath
- May require a multiplexer



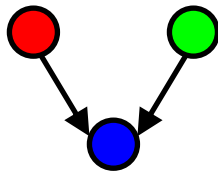
# Port Assignment

- Deterministic for non-commutative operators
- NP-complete for every commutative operator
  - [Pangrle, TCAD '91]

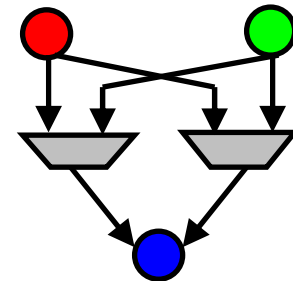
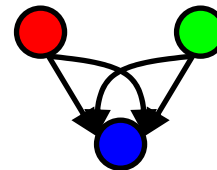


← Commutative Operator

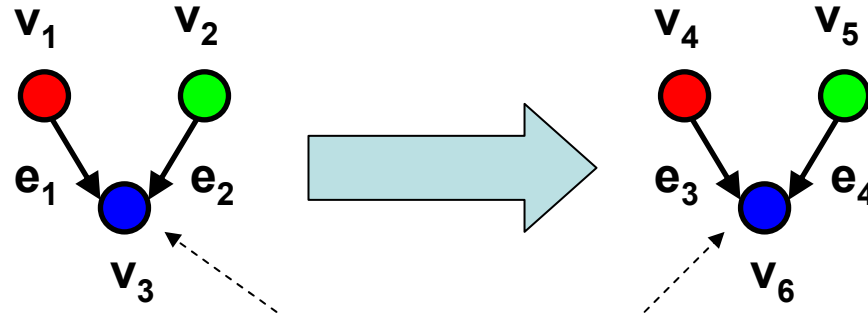
We want this!



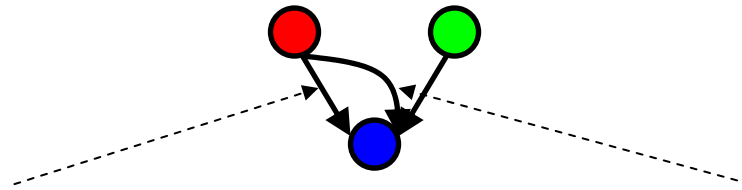
No!



# Edge Mappings = Port Assignment



Commutative Operator



Mapping:

$e_1: (v_4, v_6, L)$

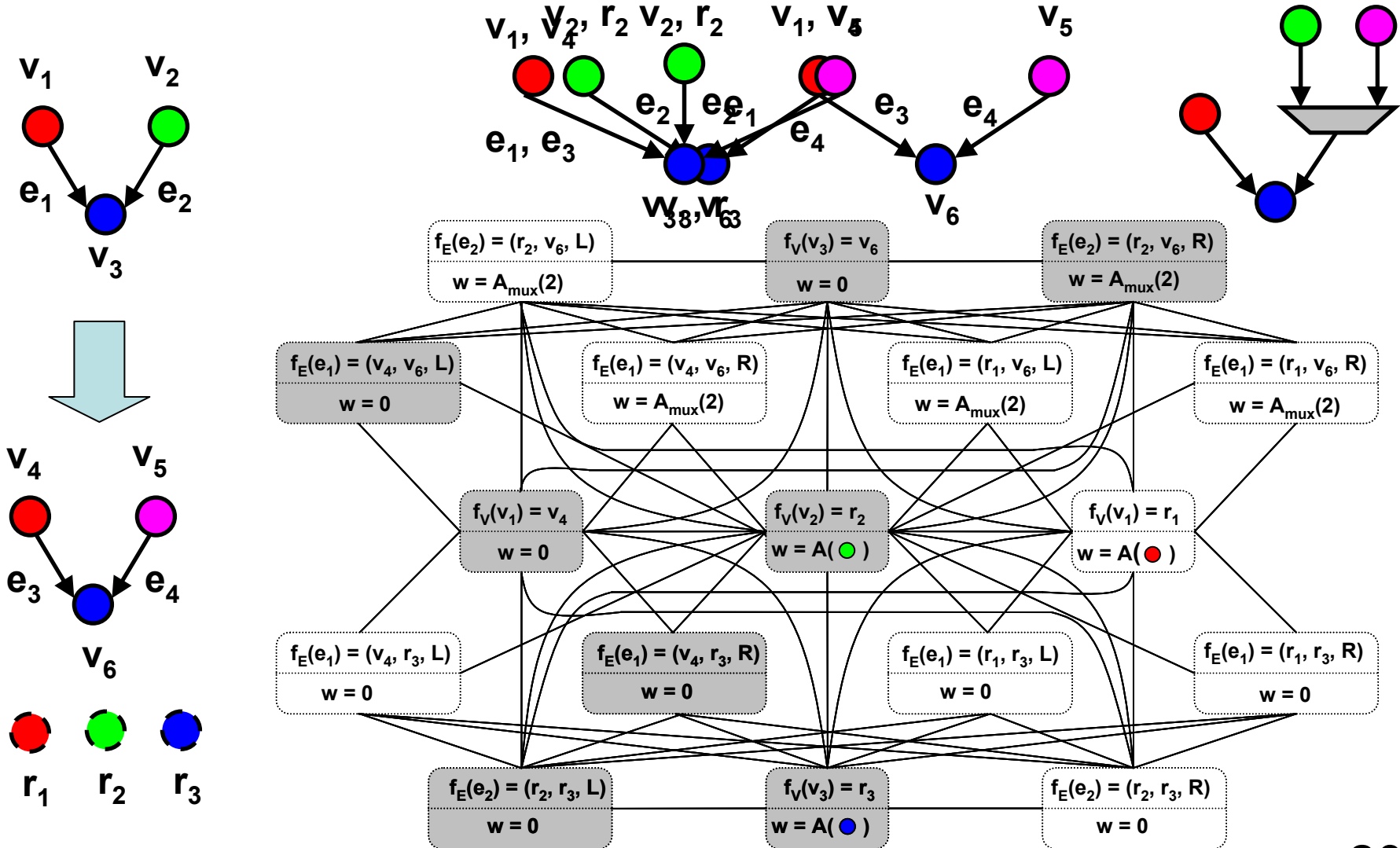
Mapping:

$e_1: (v_4, v_6, R)$

# Compatibility Graph

- Vertices correspond to mappings
  - Vertex mappings
    - Weight is 0 for vertex  $\rightarrow$  vertex
    - Weight is resource cost for vertex  $\rightarrow$  new resource
  - Edge mappings, including port assignment
    - Weight is 0 if edge exists in merged datapath
    - Weight is estimated cost of increasing mux size by +1 otherwise
- Place edges between compatible mappings
  - Each max-clique corresponds to a complete binding solution
  - Goal is to find max-clique of minimum weight

# Compatibility Graph

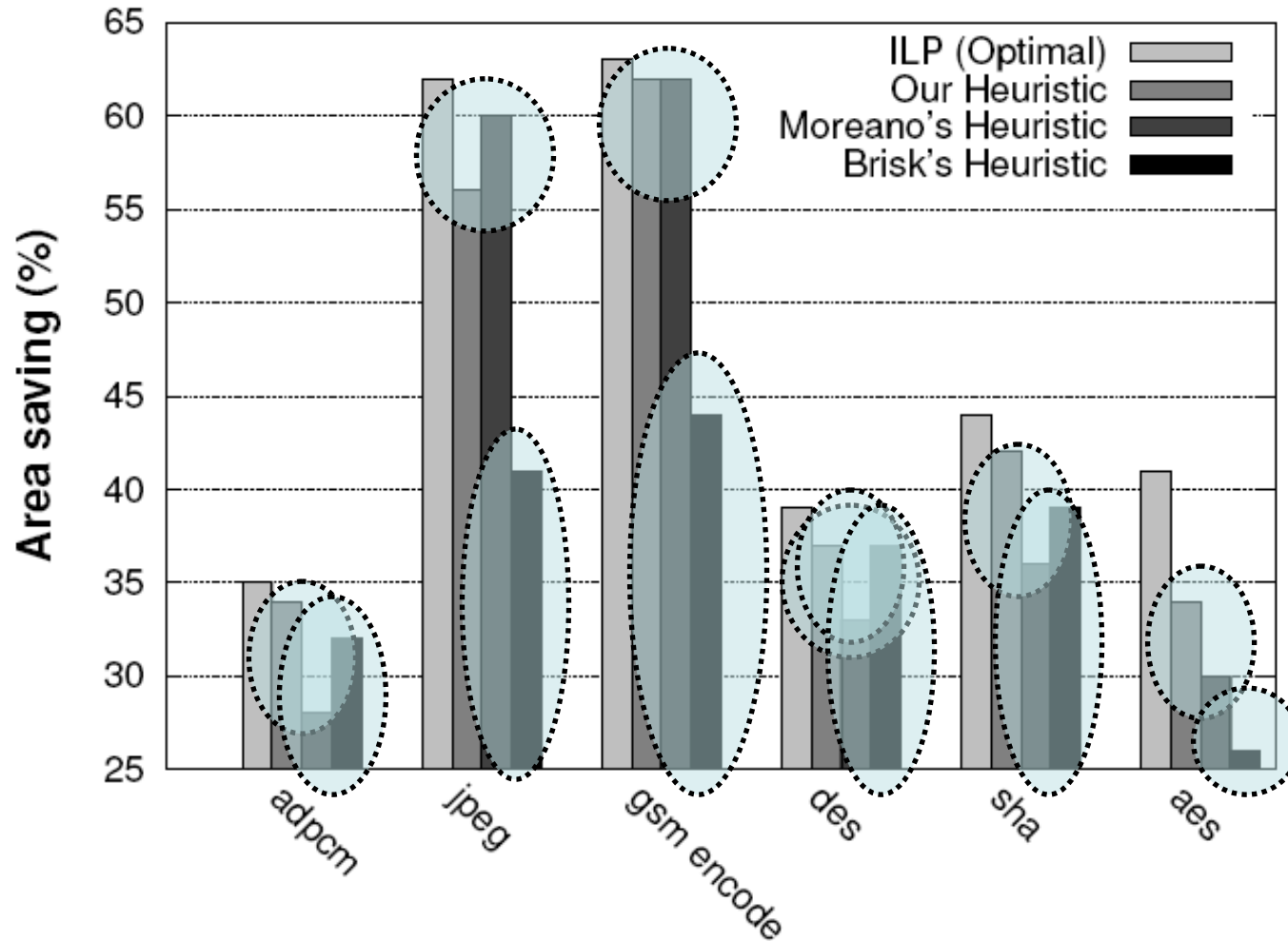


# Experimental Setup

- Internally developed research compiler
  - 1-cycle ISEs [Atasu et al., DAC '03]
  - RF has 2 read ports, 1 write port
  - Standard cell design flow, 0.18 $\mu$ m technology node
- Five DPM algorithms
  - Baseline No resource sharing
  - ILP (Optimal) [This paper]
  - Our heuristic\* [This paper]
  - Moreano's heuristic\* [Moreano et al., TCAD '05]
  - Brisk's heuristic [Brisk et al., DAC '04]

\* Max-cliques found by "Cliquer"

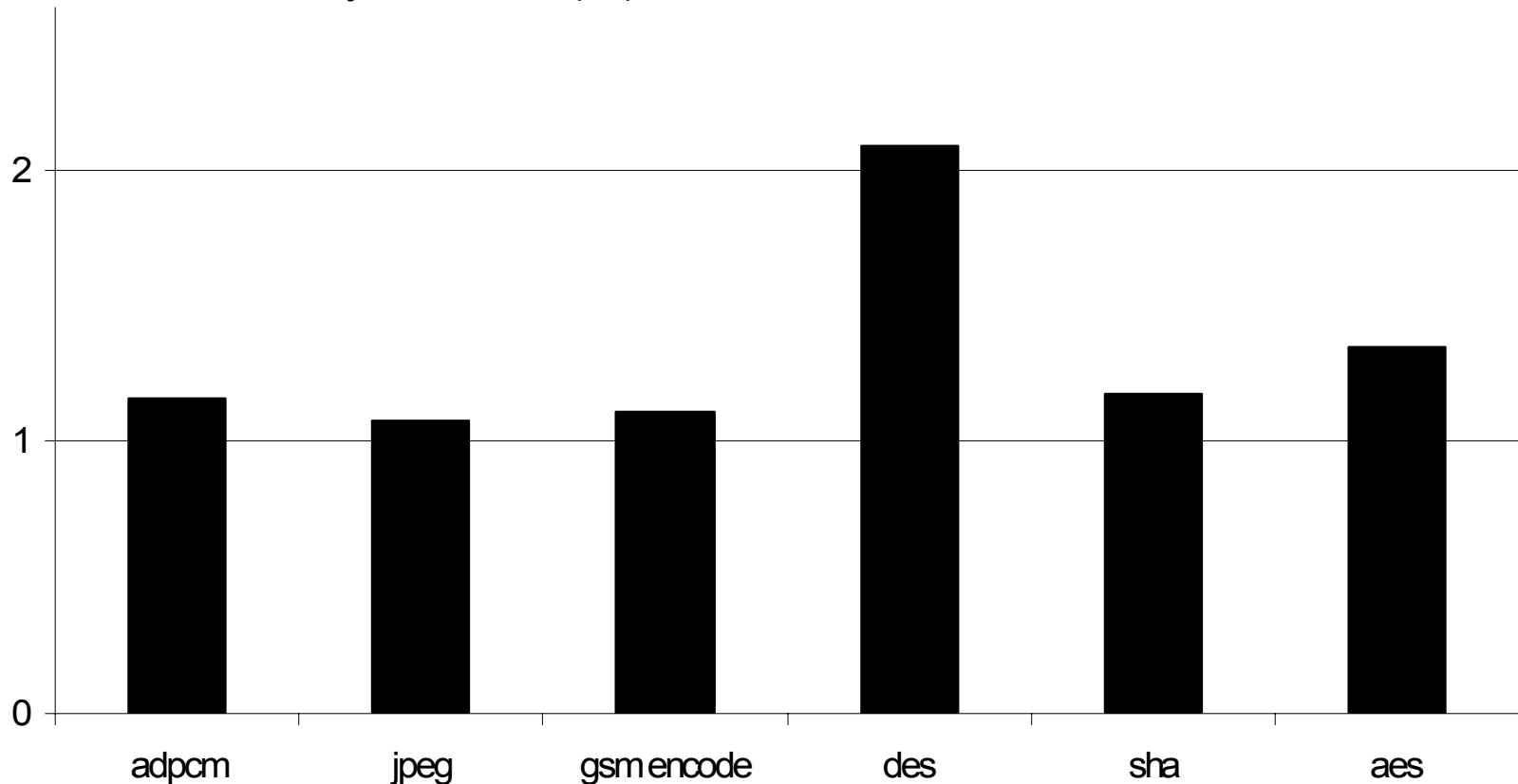
# 1-cycle ISE Area Savings



Moreano's heuristic is not the best heuristic for all benchmarks!

# Critical Path Delay Increase

Critical Path Delay Increase (%) – Our heuristic





# Runtimes

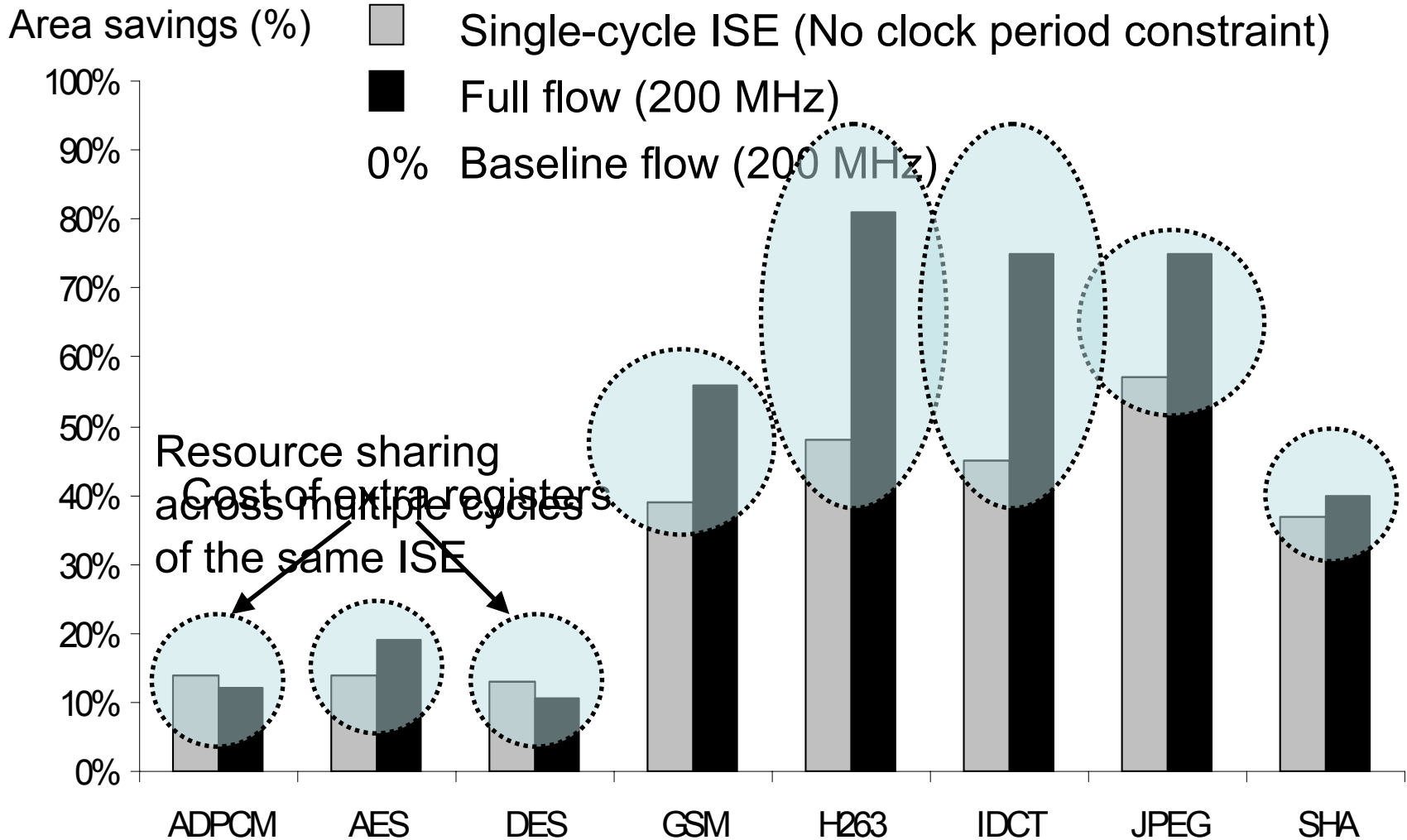
- Baseline 0
- Optimal (ILP) 3-8 hours
- Our heuristic 2-10 minutes
- Moreano's heuristic ~1 minute
- Brisk's heuristic  $\leq$  5-10 seconds

# Experimental Setup

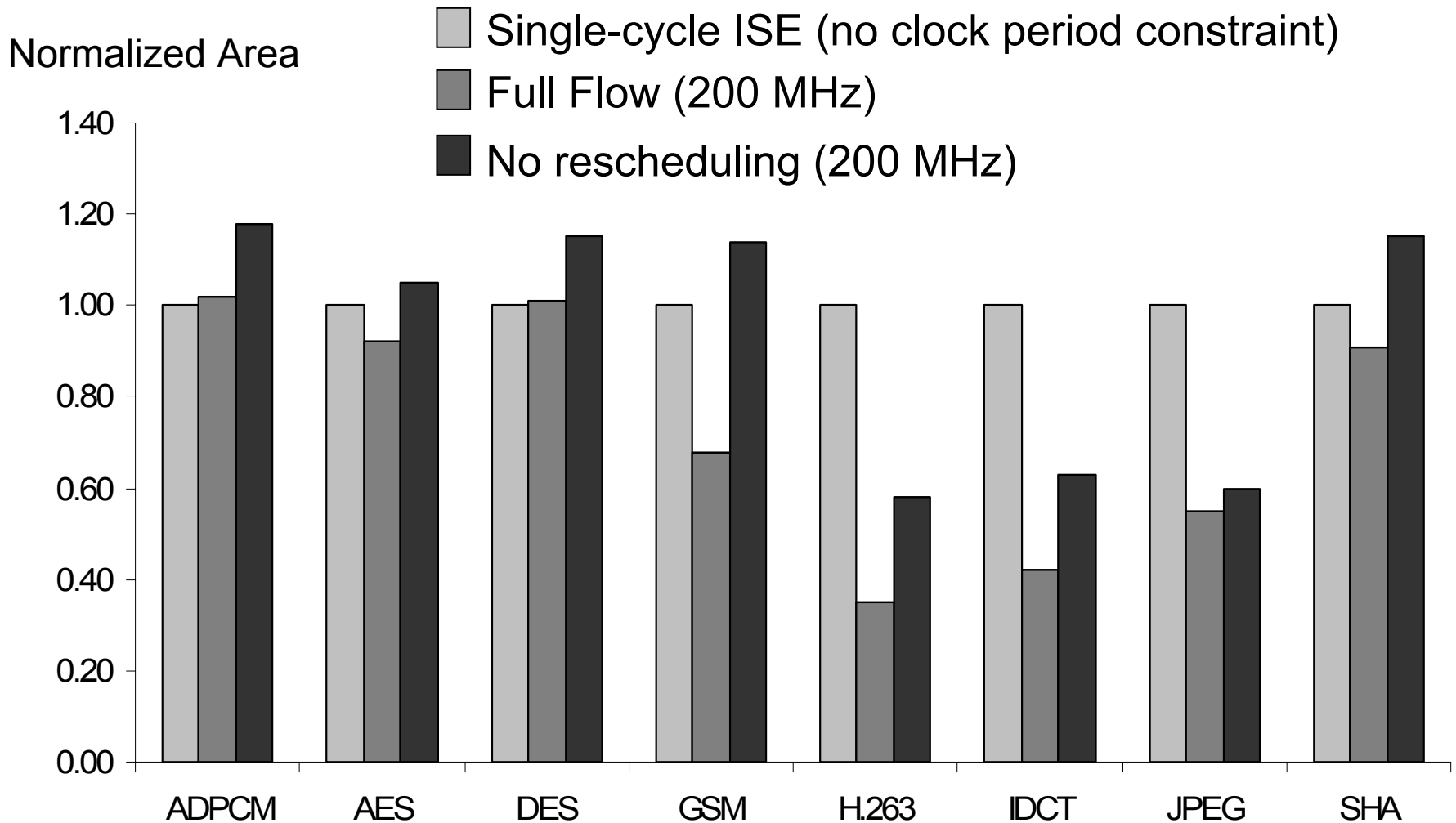
- Internally developed research compiler
  - Multi-cycle ISEs [Pozzi and lenne, CASES '05]
  - RF has 5 read ports, 2 write ports
  - Standard cell design flow, 0.18 $\mu$ m technology node
- Four versions of our flow
  - Single-cycle ISE (None) (1-cycle)
  - Full flow (200 MHz) (Multi-cycle)
  - No rescheduling (200 MHz) (Multi-cycle)
  - Baseline flow (200 MHz) (Multi-cycle)

(Resource sharing and binding step disabled)

# Single vs. Multi-cycle ISEs



# Impact of Rescheduling



# Conclusion

- HLS Flow for ISEs
  - RF I/O constraints
    - Min-latency scheduling is NP-complete
  - Requires two scheduling steps
    - Rescheduling is important for area reduction
- Resource allocation and binding
  - Modeled as a datapath merging problem
  - New problem formulation
    - Multiplexer cost
    - Port assignment