ACR: Enabling Computation Reuse through Approximate Computing

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Power efficiency

> High energy efficiency is required

Video gaming



Robotics



1 2 3 4

Image processing



Machine learning



Approximate computing

Exploiting tradeoffs between quality and complexity

DCT Image Processing



Original method



Approximate method

Machine Learning



Quality: **2.82%** Reduction Performance: **31.44%** Improvement Quality: **1.3%** Reduction Performance: **4.97X** Improvement

Conventional Computation Reuse scheme

Strip Brief workflow of traditional computation reuse scheme



Reuse requirement

If and only if input values of incoming calls equal to the ones in history

Efficacy of Conventional Reuse Scheme

Proportion of reuse opportunities exploited



In approximate application, there's great reuse potential

Tight reuse requirement prevents CONVENTIONAL CRU from achieving high speedup

Requirements for approximate computing

To enable computation reuse for approximate computing, we need

Similarity Quantification

A criterion to measure the similarity between different

Branches Resolving

Reduce the latency of packets according to traffic heterogeneity

Workflow of Proposed ACR

Two extra steps should be included into approximate computing process



Deciding the Calculating the similarity

Similarity Quantification

Prior approximate reuse scheme (i.e. RACB scheme from islped 2005)

Main idea: masking LSBs of values of inputs, and requiring the MSBs to be equal for approximate reuse

Pros:

- 1. Easy to implement
- 2. Effective for specific applications

Cons:

1. Too arbitrary

2. Limited speedup



significance aware approximate reuse

Capture the relation between inputs and outputs and estimate the significance of inputs



from compiler explicit markers

Proposed significance aware approximate reuse

Linear regression based statistical technique to obtain significance of inputs

E.g. inversek2j() benchmark:

$$z = \operatorname{acos}((x^2 + y^2 - 0.5)/0.5)$$
(1)

$$Output = asin((y \times (0.5 + 0.5 \times cos(z)) - x \times 0.5 \times sin(z))/(x^2 + y^2))$$
(2)



Resolving conditional branches

- Logistic regression based statistical technique to modeling conditional branches in function
- Then the model is used to obtain branch decision of incoming

Speculative branch prediction

Actual conditional branch:

$$if(qo - p0 < 20)$$

Predicted conditional branch:

$$-0.96p0 + 0.08p1 - 0.06p2$$
$$+q0 - 0.07q1 + 0.03q2 = 20.09$$



Overview of proposed ACR scheme



Benchmarks

Axbench: a benchmark designed for approximate computing from Georgia tech

| Benchmark | Description | N.in | N.br |
|--------------|---|------|------|
| Blackscholes | Pricing a portfolio of options with the Black-Scholes equation | 6 | 5 |
| Inversek2j | Robotic: Inverse kinematics for 2-joint arm | 2 | 0 |
| Sobel | Sobel edge detector in Image Processing | 9 | 1 |
| Jmeint | Triangle intersection detection in 3D gaming | 18 | 20 |
| H264 | Loop filter in h264 | 6 | 5 |

The percentage of computation effort







> Area overhead:

| Benchmark | Blackscholes | Inversek2j | Sobel | Jmeint | H264 |
|---------------------|--------------|------------|-------|--------|-------|
| Storage Cost(kB) | 65.73 | 40.08 | 29.05 | 37.14 | 42.38 |

Conclusion

- Approximate computing can exploit the potential of computation reuse
- Not all error-tolerant application are suitable for approximate computation reuse
- Error-tolerant applications which benefit most from ACR would be:
 - Time consuming: contains complex function like sin(), cos(), exponential function
 - Contain small number of input parameters
 - Have a few number of conditional branches

Thanks for listening!

Question?