

# Crosstalk Analysis using Reconvergence Correlation

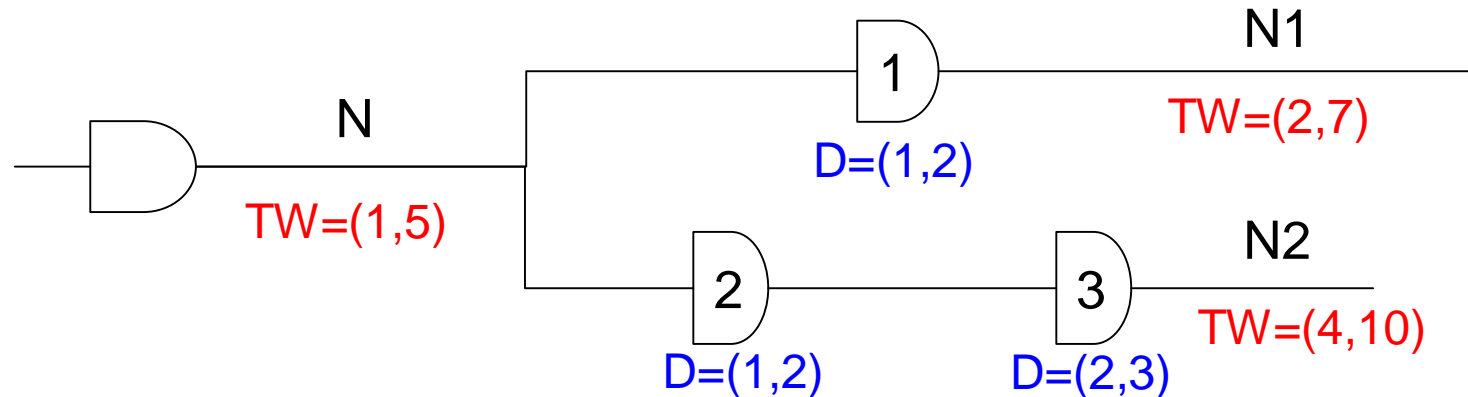
Sachin Shrivastava, Harindranath Parameswaran,  
Rajendra Pratap and Manuj Verma  
Cadence Design Systems, India



# Outline

- Problem Statement
- Relative Timing Windows
- Crosstalk Analysis using Relative Timing Windows
- Probabilistic Analysis
- Results and Conclusions

# Problem Statement



- Timing window at N1 and N2 overlap
  - Hence considered do be switching together
- But, if N switches at time  $t$ ,
  - N1 and N2 can only witch at  $[t+1, t+2]$  and  $[t+3, t+5]$  respectively.
  - N1 and N2 can never switch together
- Pessimism in current methodology
- Current methodology ignores the correlation (Reconvergence) between N1 and N2

# Timing Windows (Classical)

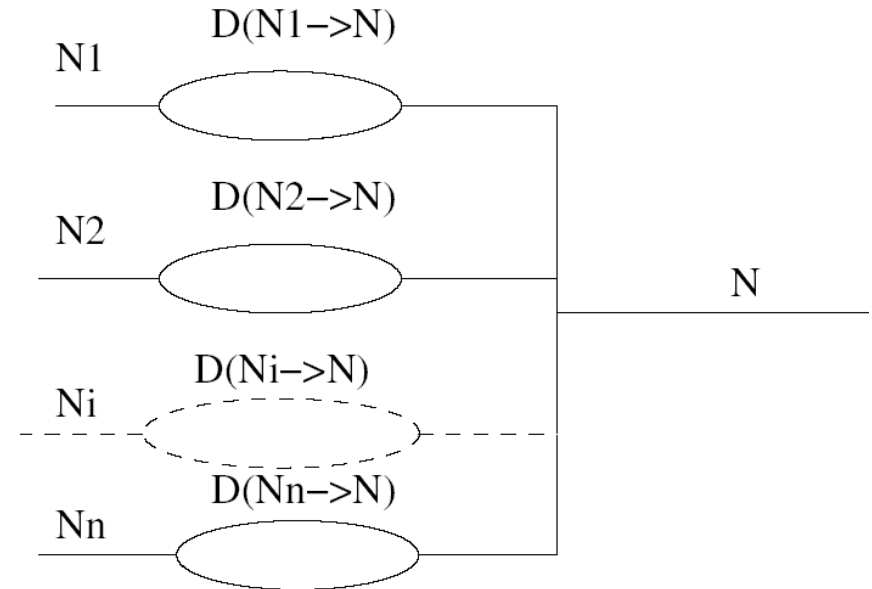
- Timing windows at  $N_i$

$$TW(N_i) = (t_{\min}^i, t_{\max}^i)$$

- Delay from  $N_i$  to  $N$

$$D(N_i \rightarrow N) = (d_{\min}^i, d_{\max}^i)$$

- Timing Windows at  $N$



$$TW(N) = \bigcup_{i=1}^n (t_{\min}^i + d_{\min}^i, t_{\max}^i + d_{\max}^i)$$

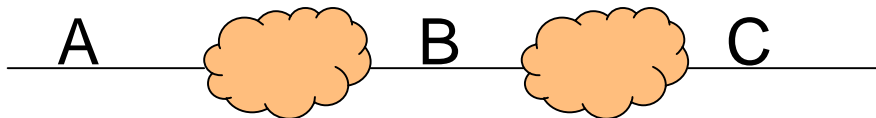
- Due to addition, relative information is lost,
- We need a way to preserve this relative information

# Relative Timing Windows

- In relative timing windows based approach, delays and timing windows of previous net are preserved

- TW at N relative to Ni

$$TW(N/N_i) = \{ TW(N_i), D(N_i \rightarrow N) \}$$



- Given  $TW(C/B)$  and  $TW(B/C)$ ,

$$TW(C/B) = \{ TW(B), D(B \rightarrow C) \}$$

$$TW(B/A) = \{ TW(A), D(A \rightarrow B) \}$$

- $TW(C/A)$  Can be calculated as,

$$TW(C/A) = \{ TW(A), D(A \rightarrow B) \oplus D(B \rightarrow C) \}$$

# Crosstalk Analysis

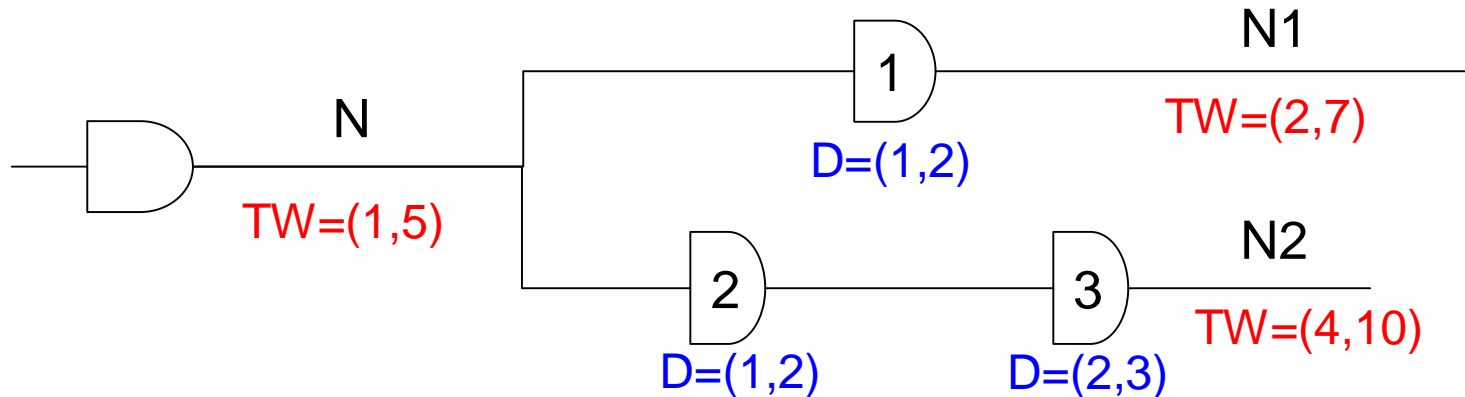
- To find if A1 and A2 can switch together,
  - Find latest common divergence points in fan-in cone of A1,A2. Let these points are set  $\Phi$ .
  - Find relative TW of A1,A2 relative to all points in  $\Phi$

$$TW(A1) = \bigcup_{i \in \Phi} \{TW(i), D(i \rightarrow A1)\}$$

$$TW(A2) = \bigcup_{i \in \Phi} \{TW(i), D(i \rightarrow A2)\}$$

Common part (TW(i)) can be ignored, hence nets A1 and A2 can switch together if D(i →A1) and D(i →A2) overlap

# Crosstalk Analysis (Example)



- To find if  $N1$  and  $N2$  can switch together,
  - Find latest divergence point ( $N$  in this case)
  - Find relative  $TW$  of  $N1, N2$  relative to  $N$ 
    - $TW(N1/N) = \{TW(N), (1,2)\}$
    - $TW(N2/N) = \{TW(N), (3,5)\}$
  - Common part ( $TW(N)$ ) can be ignored hence nets  $N1$  and  $N2$  don't switch together

# Probabilistic Analysis

- Let victim has N aggressors
- All switching events are uniformly distributed in time period T.
- If width of timing window of  $i_{th}$  aggressor is  $\tau_i$ .
- Probability that all nets can switch together

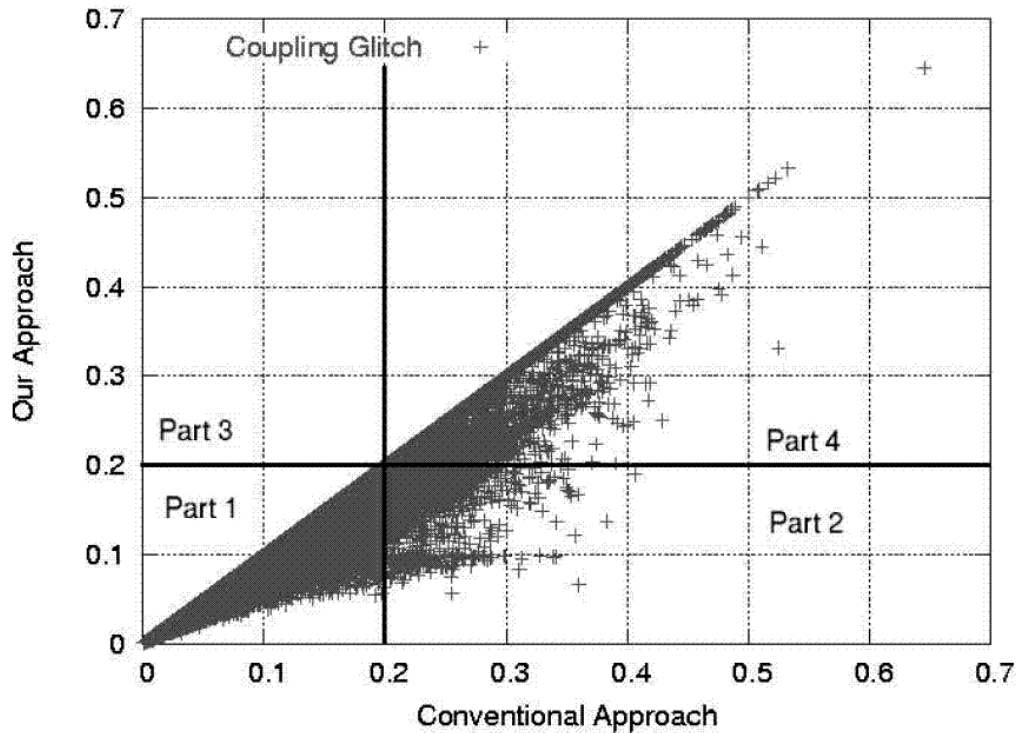
$$P_{old} = \left( \prod_{i=1}^N \frac{\tau_i}{T} \right) \left( \sum_{j=1}^N \frac{T}{\tau_j} \right) \quad \text{Conventional Approach}$$

- Let width of TW at divergence point is d, Prob. will be

$$P_{new} = \left( \prod_{i=1}^N \frac{\tau_i - d}{T} \right) \left( \sum_{j=1}^N \frac{T}{\tau_j - d} \right) \quad \text{Our Approach}$$



# Results (Crosstalk Glitch)



Part 1 : Nets below threshold (using conventional and proposed approach) = 139634

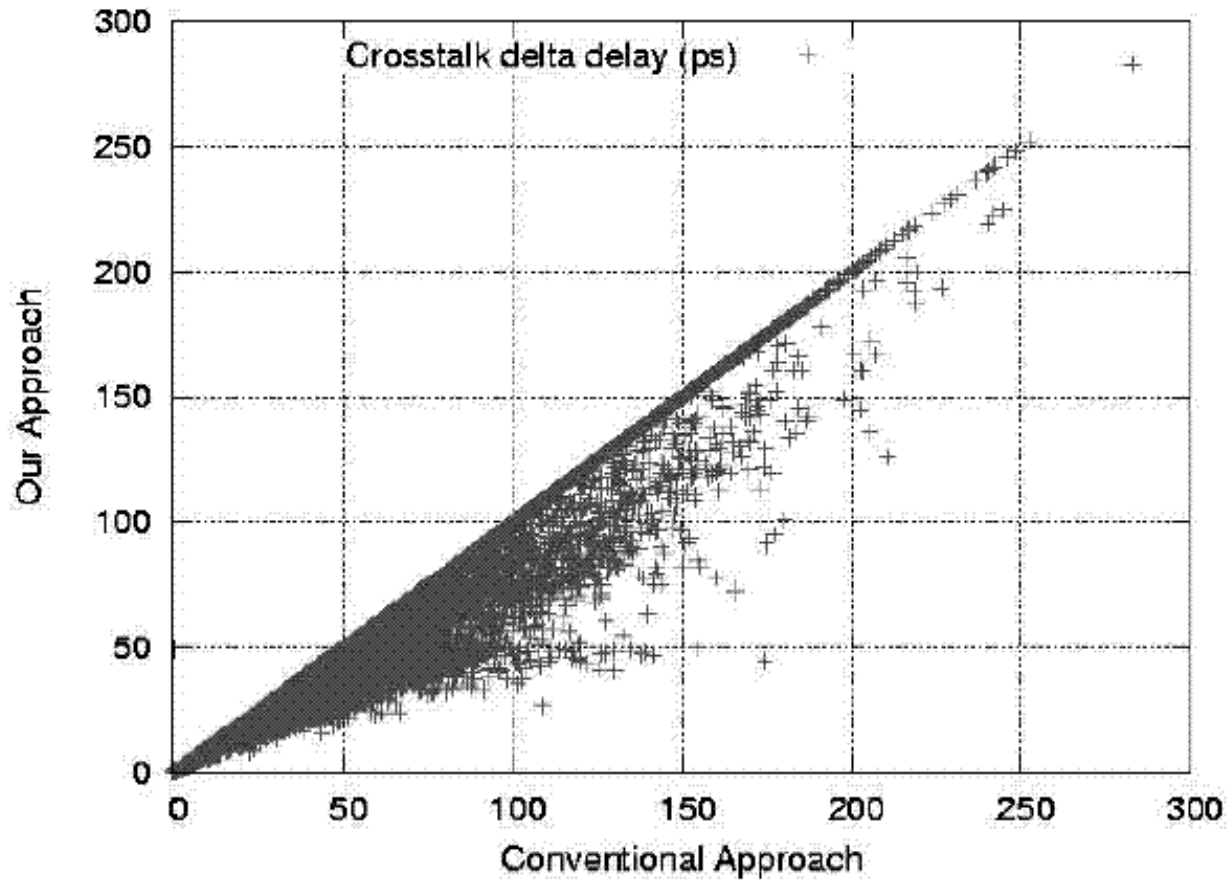
Part 2 : Violation pruned with proposed approach = 2053

Part 3 : New violations due to proposed approach = 0

Part 4 : Nets above threshold (using existing and proposed approach) = 14906

on a 65nm design

# Results (Crosstalk Delay)



on a 65nm design

# Conclusions

- Current approach does not consider correlation between nets
  - Can lead to pessimistic analysis
- We proposed use of relative timing windows to address this pessimism
- We analytically found the effectiveness of the approach using probabilistic methods
- Our approach pruned many false violation on a real design

Thank You

Q&A