

A Fast Heuristic Scheduling Algorithm for Periodic ConcurrenC Models

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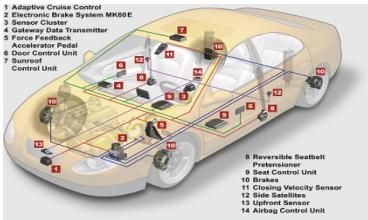


Outline

- Introduction and Related Work
- ConcurrenC Model Simulation
- Periodic ConcurrenC Scheduling
 - Scheduling of SDF-like Models
 - Scheduling of Periodic ConcurrenC Models
- Experiment Results
- Conclusion and Future Work

Introduction

- Embedded systems are modeled and described at different levels of abstraction.
 - **System-level Description Languages** (SLDLs), like SystemC and SpecC are used for modeling and verification, and are simulated by **discrete event** (DE) simulation mechanism.
 - **C-based SLDLs** are well-defined, but **Modeling** is not.
 - “How to write a good model?”
 - Modeling guidelines are needed.
 - Simulation speed is not fast for **DE-based** single-thread kernels.



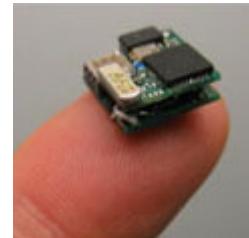
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Source: www.nintendo.com



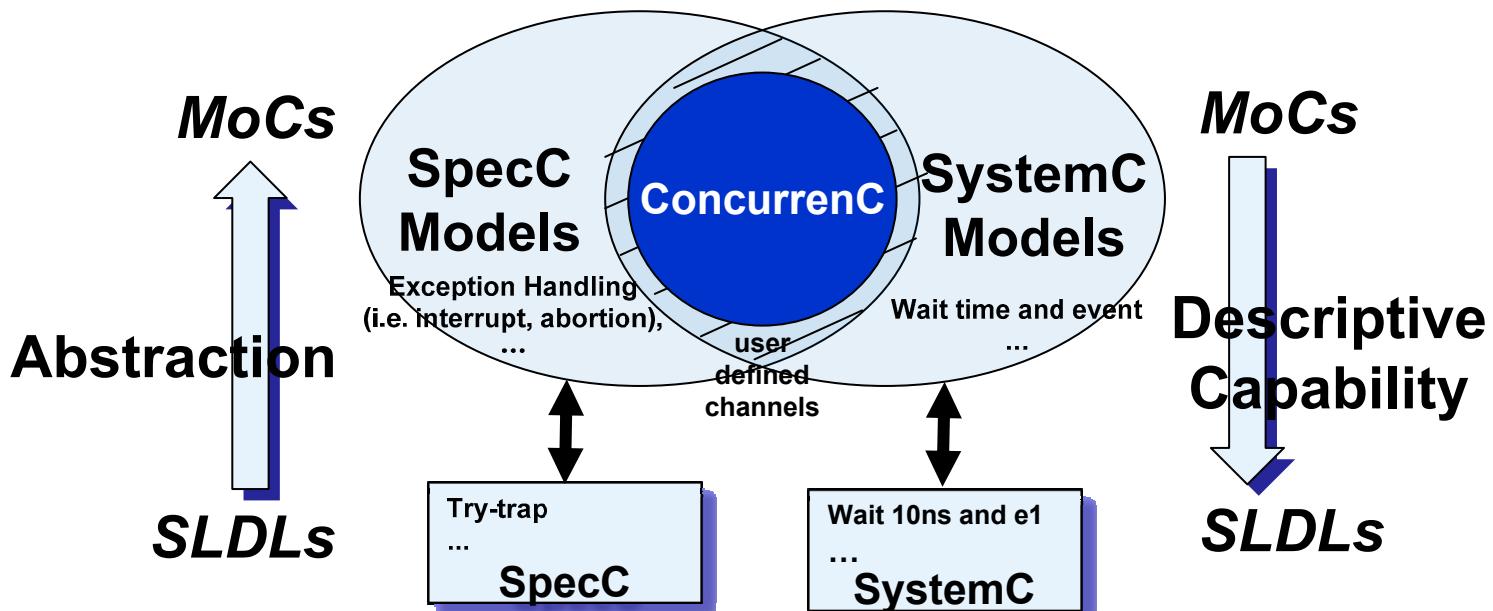
Source: www.apple.com



Source: P. Chou, UCI

ConcurrenC MoC

- **ConcurrenC**, a new model of computation (MoC) was proposed to emphasize the importance of the modeling.
 - A specific subset, called **periodic ConcurrenC**, can be statically scheduled to improve the simulation speed.

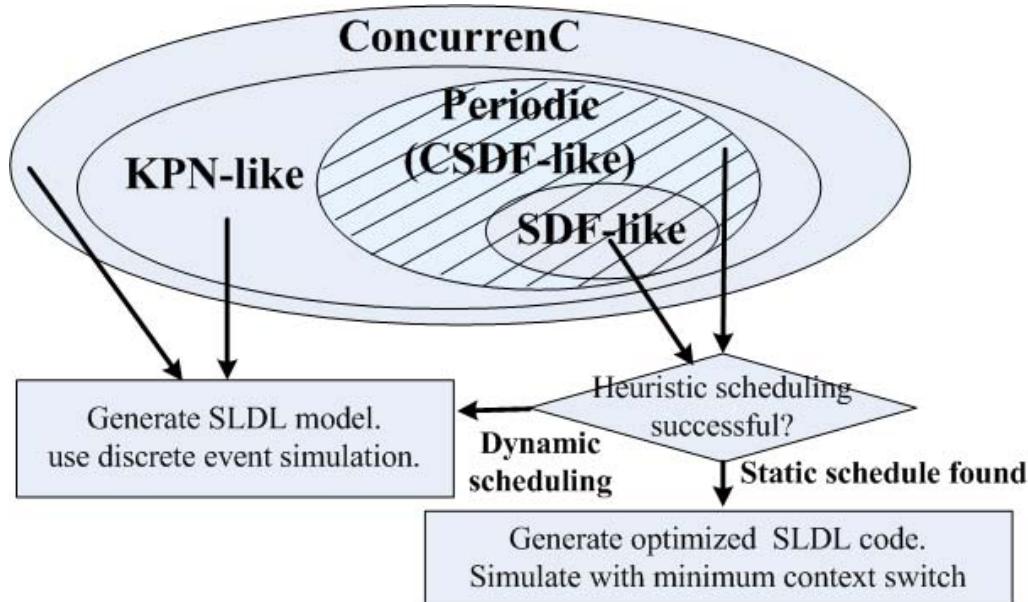


Relationship between ConcurrenC and C-based SLDLs

Related Work

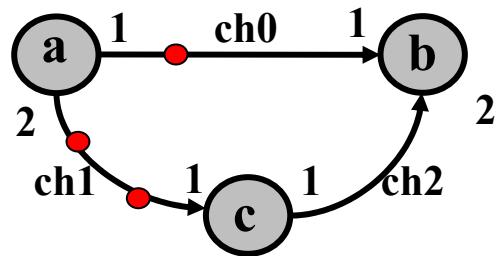
- System-level Description Languages
 - SystemC [T.Grotker 2002]
 - SpecC[D.D.Gajski 2000]
 - Discrete Event (DE) simulation [N.Savoiu 2002] [J.Zhu 2001]
- Model of Computation
 - Kahn Process Network (KPN) [G. Kahn 1974]
 - Synchronous Dataflow (SDF) [E.A.Lee 1987]
 - Cyclo-static Dataflow (CSDF) [G.Bilsen 1995]
 - ConcurrenC [W.Chen, R.Doemer, 2009]
- Static Scheduling
 - SDF [E.A.Lee 1987], CSDF [G.Bilsen 1994]
 - Builds an incidence matrix of the connected model graph
 - Solves a balance equation to get repetition vectors, and periodic admissible sequential schedule (PASS)
 - Model simulation in SSDL by modifying the simulation kernel [H.Patel 2004, 2005]
 - Analysis tool SDF3 for throughput, storage capacity, and buffer size minimization(NP-complete [S.S.Battacharyya 1996]) [S.Stuijk 2006, 2008]

ConcurrenC Model Simulation



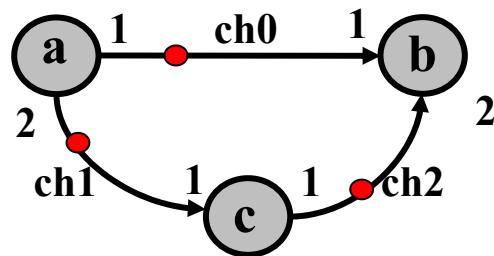
- **Simulation Strategy**
 - Periodic ConcurrenC Model
 - Not input dependent, KPN-like, Periodically Schedulable
 - static schedulable → **optimized implementation**
 - Otherwise → **Generic SLDL implementation, DE simulated**
 - Non-Periodic ConcurrenC Model → **Generic SLDL implementation, DE simulated**

ConcurrenC Examples



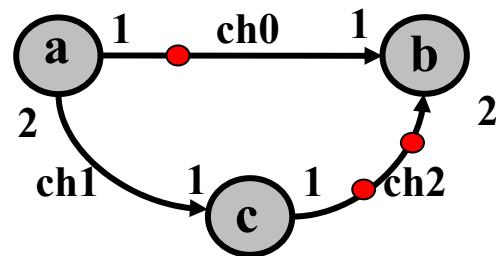
A SDF-like ConcurrenC example

ConcurrenC Examples



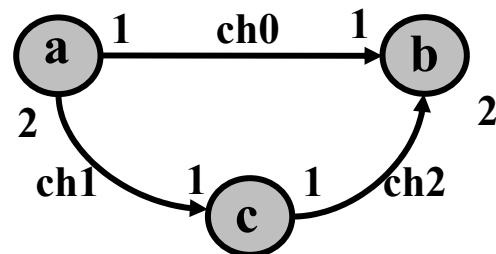
A SDF-like ConcurrenC example

ConcurrenC Examples



A SDF-like ConcurrenC example

ConcurrenC Examples



A SDF-like ConcurrenC example

The Periodic Admissible Sequential Schedule
(PASS) is: a, c, c, b

Optimization for Fast Simulation

```
behavior a(i_int_sender ch0,  
          i_int_sender ch1)  
{  
    behavior Main(void)  
    {  
        c_int_queue ch0(1ul), ch1(2ul), ch2(2ul);  
        a b_a(ch0, ch1);  
        b b_b(ch0, ch2);  
        c b_c(ch1, ch2);  
    };  
    behav  
    {  
        par  
        {  
            b_a.main();  
            b_b.main();  
            b_c.main();  
        }  
        return 0;  
    };  
};  
};
```

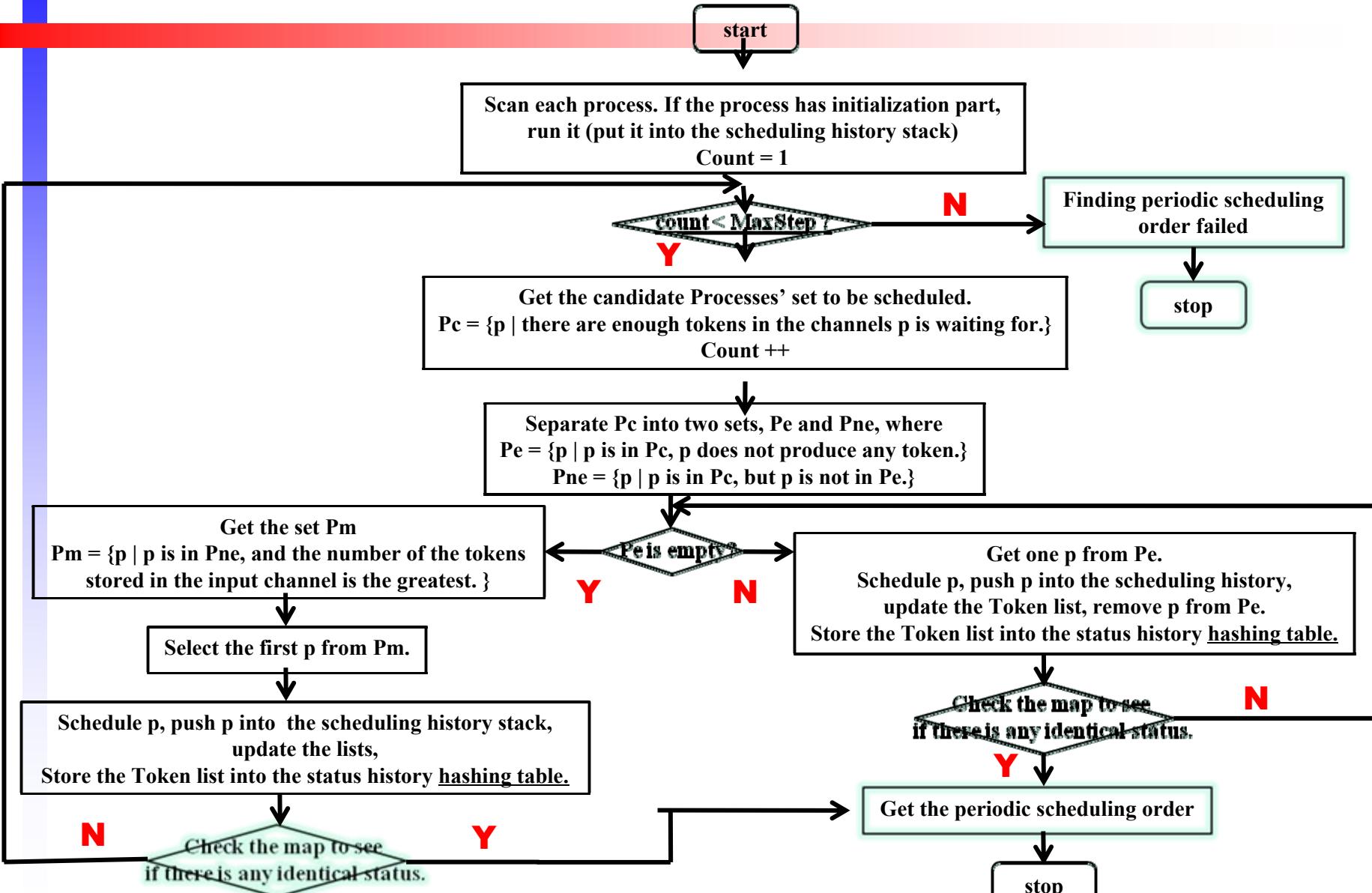
SpecC description for the SDF-like model

Optimized SpecC description for the SDF-like model

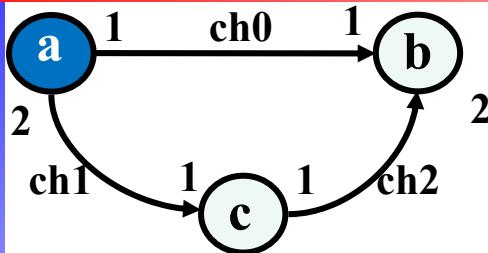
```
behavior a_seq(i_int_sender ch0,  
              i_int_sender ch1)  
{  
    behavior Main(void)  
    {  
        c_int_queue ch0(1ul), ch1(2ul), ch2(2ul);  
        a_seq b_a(ch0, ch1);  
        b_seq b_b(ch0, ch2);  
        c_seq b_c(ch1, ch2);  
    };  
    behav  
    {  
        while(1)  
        {  
            b_a.main();  
            b_c.main();  
            b_c.main();  
            b_b.main();  
        }  
        return 0;  
    };  
};  
};
```

PASS is (a, c, c, b)

Scheduling Algorithm for SDF-like Models



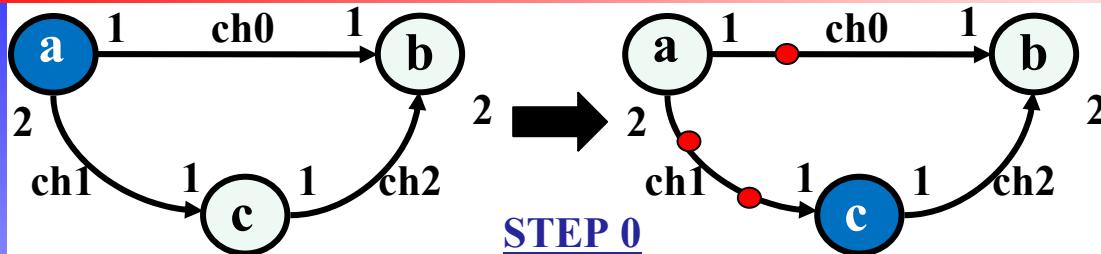
SDF-like Model Scheduling Example



STEP	
List of the number of tokens in each channel (Token[ch])	
ch0	0
ch1	0
ch2	0

List of the channels that each process is waiting for (the number of tokens required)	
a	chWait[proc][ch]
b	ch0(1)&ch2(2)
c	ch1(1)

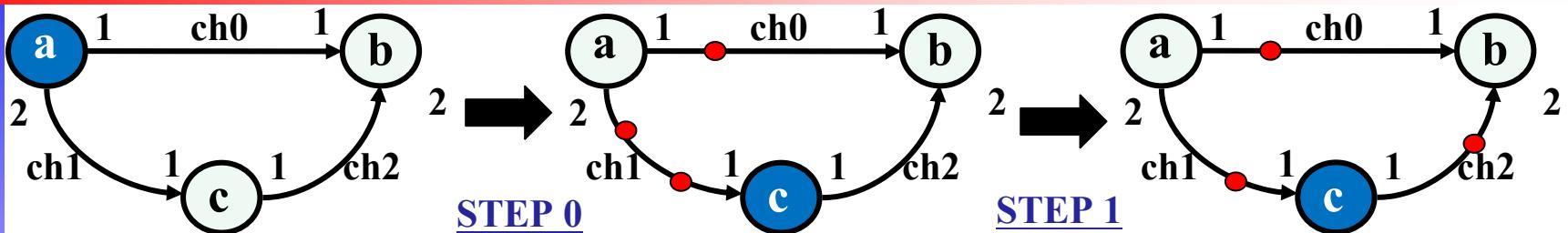
SDF-like Model Scheduling Example



STEP		0
List of the number of tokens in each channel (Token[ch])		
		a
ch0	0	1
ch1	0	2
ch2	0	0

		chWait[proc][ch]
a	-	-
b	ch0(1)&ch2(2)	ch0(1)&ch2(2)
c	ch1(1)	ch1(1)

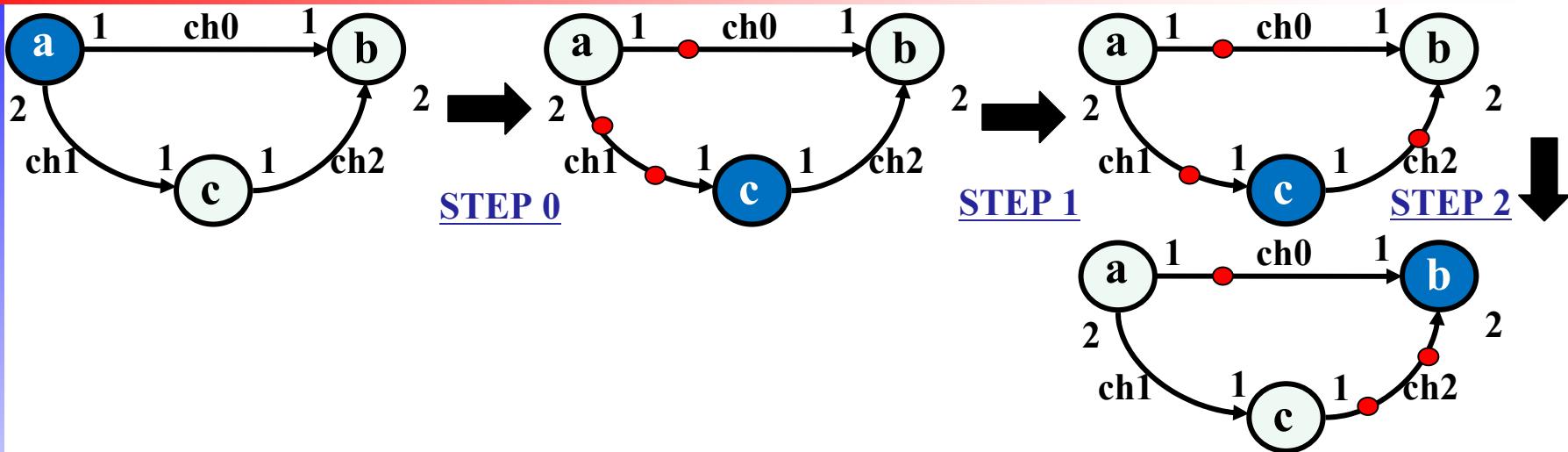
SDF-like Model Scheduling Example



STEP		0	1
List of the number of tokens in each channel (Token[ch])			
		a	c
ch0	0	1	1
ch1	0	2	1
ch2	0	0	1

	List of the channels that each process is waiting for (the number of tokens required)		
a	-	-	chWait[proc][ch]
b	ch0(1)&ch2(2)	ch0(1)&ch2(2)	ch0(1)&ch2(2)
c	ch1(1)	ch1(1)	ch1(1)

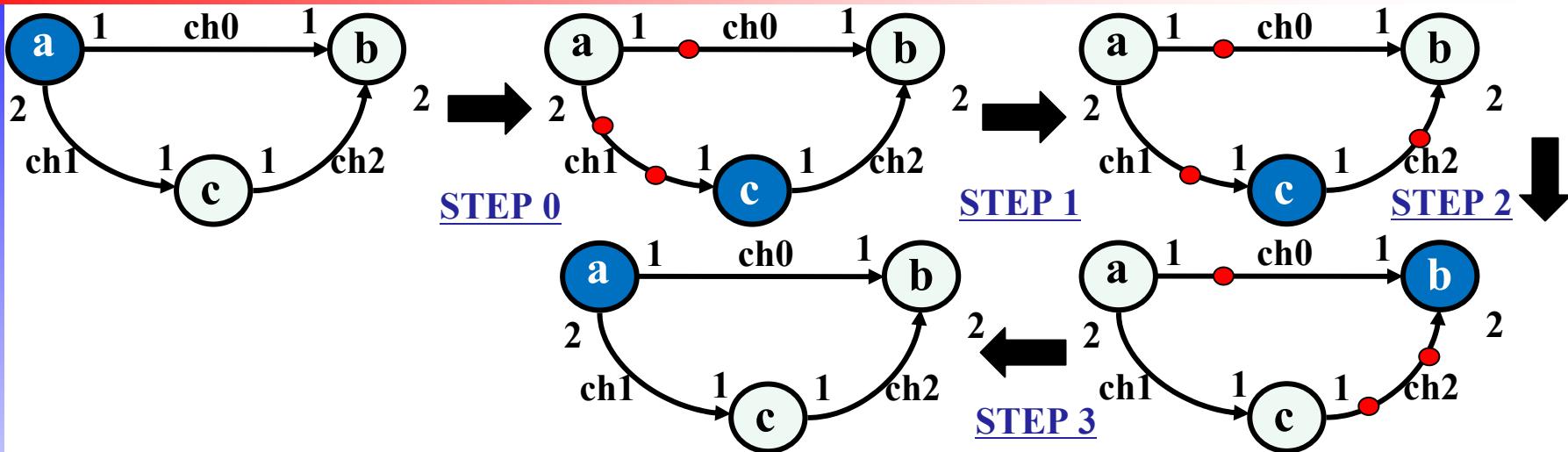
SDF-like Model Scheduling Example



STEP		0	1	2
List of the number of tokens in each channel (Token[ch])				
		a	c	c
ch0	0	1	1	1
ch1	0	2	1	0
ch2	0	0	1	2

	List of the channels that each process is waiting for (the number of tokens required)			
	a	b	c	
a	-	-	chWait[proc][ch]	-
b	ch0(1)&ch2(2)	ch0(1)&ch2(2)	ch0(1)&ch2(2)	ch0(1)&ch2(2)
c	ch1(1)	ch1(1)	ch1(1)	ch1(1)

SDF-like Model Scheduling Example



STEP		0	1	2	3
------	--	---	---	---	---

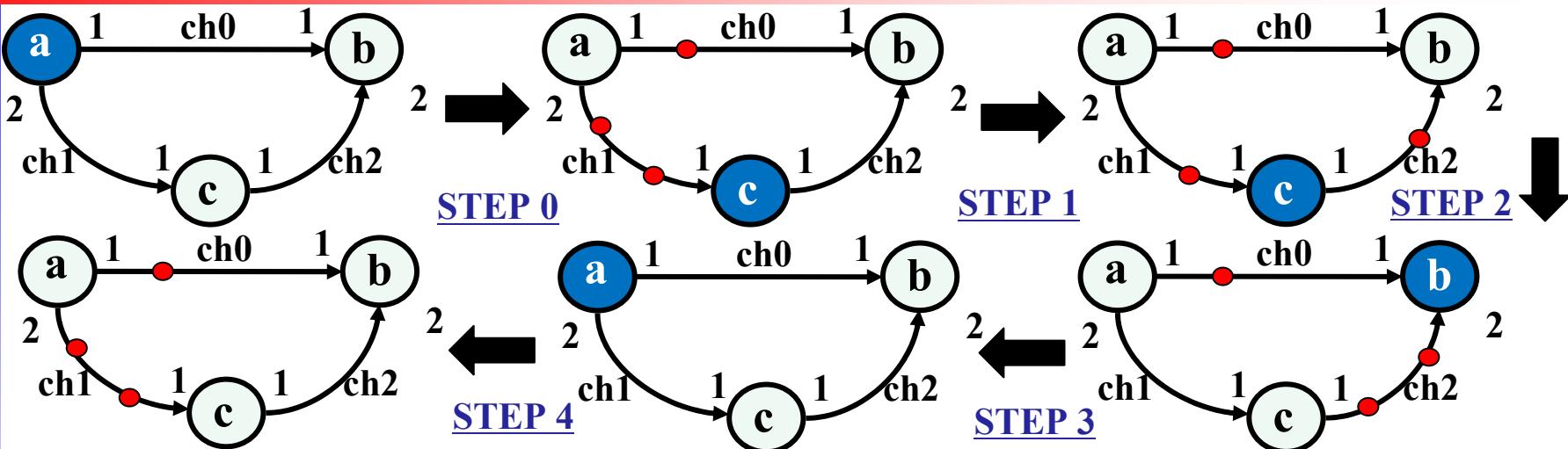
List of the number of tokens in each channel (Token[ch])

		a	c	c	b
ch0	0	1	1	1	0
ch1	0	2	1	0	0
ch2	0	0	1	2	0

List of the channels that each process is waiting for (the number of tokens required)

a	-	-	chWait[proc][ch]	-	-
b	ch0(1)&ch2(2)	ch0(1)&ch2(2)	ch0(1)&ch2(2)	ch0(1)&ch2(2)	ch0(1)&ch2(2)
c	ch1(1)	ch1(1)	ch1(1)	ch1(1)	ch1(1)

SDF-like Model Scheduling Example



STEP	0	1	2	3	4
------	---	---	---	---	---

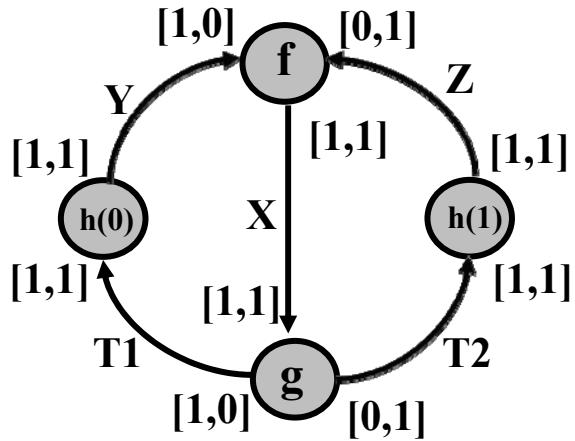
List of the number of tokens in each channel (Token[ch])

	a	c	c	b	a
ch0	0	1	1	0	1
ch1	0	2	1	0	2
ch2	0	0	1	2	0

List of the tokens at each process is waiting for (the number of tokens required)

a	PASS	-	-	-	-
b	ch0(1)&ch2(2)	ch0(1)&ch2(2)	ch0(1)&ch2(2)	ch0(1)&ch2(2)	ch0(1)&ch2(2)
c	ch1(1)	ch1(1)	ch1(1)	ch1(1)	ch1(1)

Periodic ConcurrenC Example



KPN-like ConcurrenC example that qualifies as CSDF-like

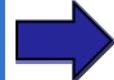
Scheduling of Periodic ConcurrenC Models

- Additional Data Structure (for channel prediction)
 - Internal state of each process (local control variables).
→ acquired dynamically when scheduling
 - Waiting channel list for each process and the number of input tokens for each process for each iteration. → acquired dynamically when scheduling
- Code Slicing
 - **REPLACE:** replace channel send / receive with Token[P] list updating (in `_t()`) and `chWait[N][P]` predicting (in `_ch()`).
 - **REMOVE:** (a) the loop statement, e.g. `while(1)`; (b) statements dealing with the data variables.
 - **KEEP:** statements dealing with the state variables (in `_t()`) and make these variables *static to the functional block*.

Code Slicing Example

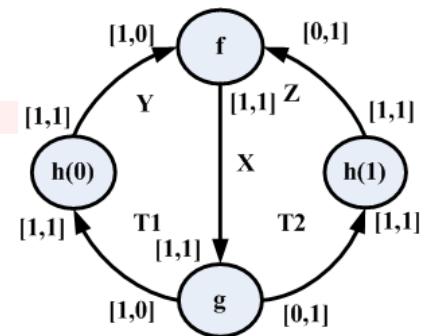
```
behavior f(i_int_receiver Y, i_int_receiver Z,  
          i_int_sender W)  
{  
    int b = 1;  
    void main()  
    {  
        while(1)  
        {  
            if(b)  
                Y.receive(&i);  
            else  
                Z.receive(&i);  
            X.send(i);  
            b = (b + 1) % 2;  
        }  
    }  
};
```

SpecC description for the KPN-like model

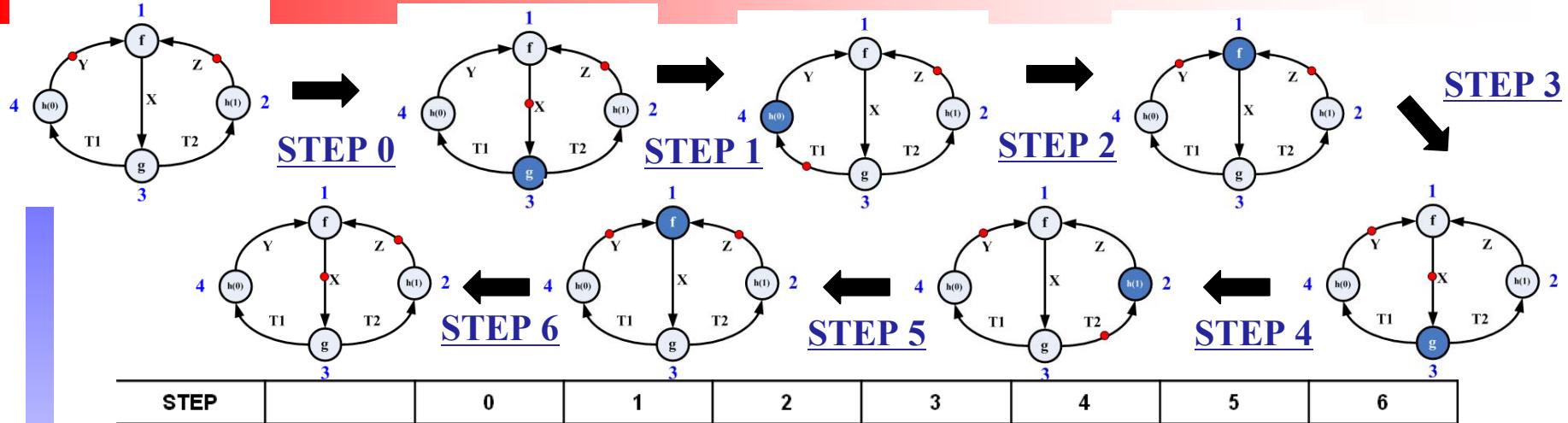


Sliced description code for the KPN-like model

<pre>void f_slice::f_t0 // update Token[] { //while(1) //{ if(b) Token[Y] --; else Token[Z] --; Token[X] ++; b = (b + 1) % 2; //} }</pre>	<pre>void f_slice::f_ch() // update chWait[][]] { //while(1) //{ if(b){ chWait[f_proc][Y] = 1; chWait[f_proc][Z] = 0; }else{ chWait[f_proc][Y] = 0; chWait[f_proc][Z] = 1; } //} }</pre>
---	--



Periodic ConcurrenC Model Scheduling Example



List of the number of tokens in each channel. Token[ch]

	f	g	h(0)	f	g	h(1)	f
X	0	1	0	1	0	0	1
Y	1	0	0	1	1	1	0
Z	1	1	1	0	0	1	1
T1			1	0	0	0	0
T2			0	0	0	1	0

PASS

List of the channels that each process is waiting for. chWait[proc][ch] (the number of tokens required for each iteration)

h(0)	T1(1)							
h(1)	T2(1)							
f	Y(1) & Z(0)	Y(0) & Z(1)	Y(0) & Z(1)	Y(0) & Z(1)	Y(1) & Z(0)	Y(1) & Z(0)	Y(1) & Z(0)	Y(0) & Z(1)
g	X(1)							

Internal condition variables

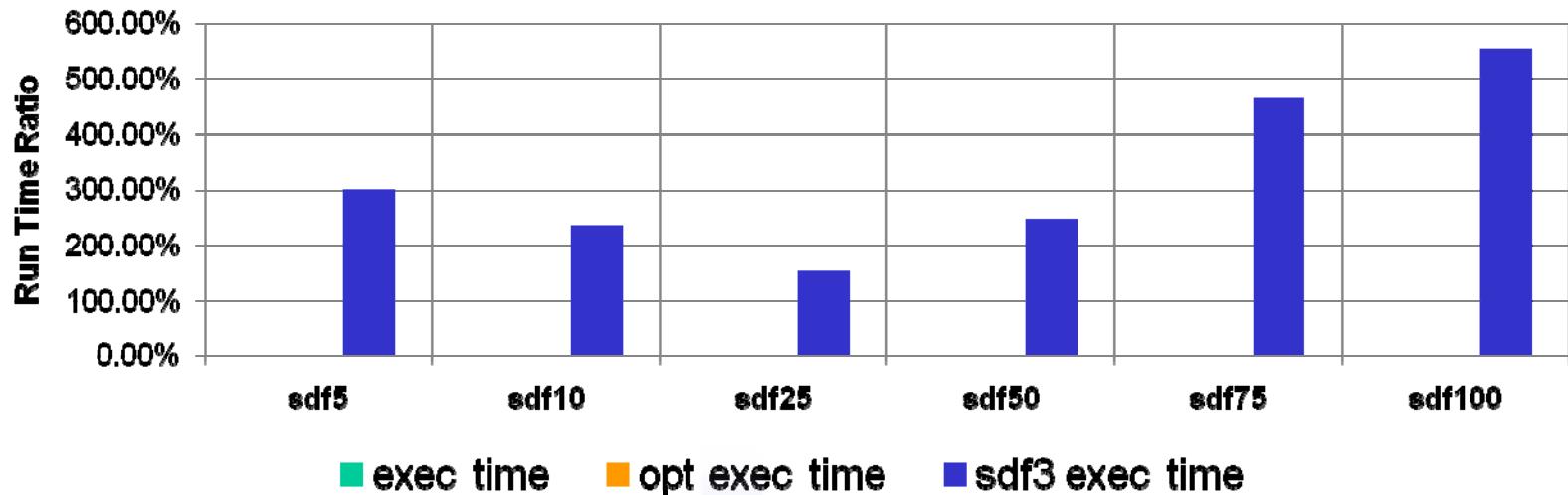
f.b	1	0	0	0	1	1	1	0
g.b	1	1	0	0	0	1	1	1

Experiment Results

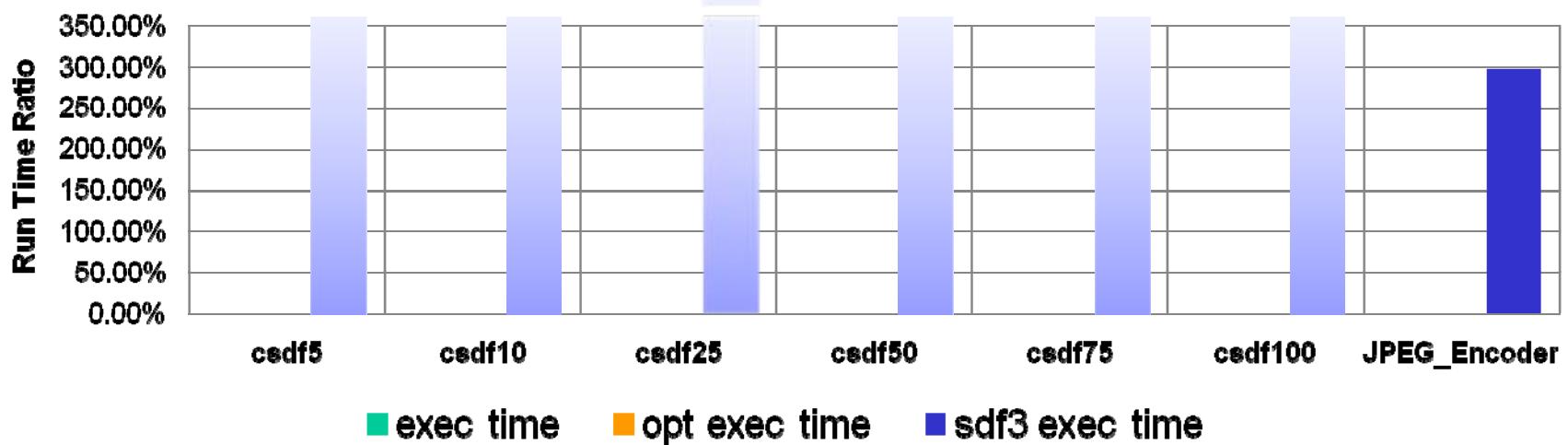
- Static Scheduling Algorithm Performance
 - Heuristic static scheduling algorithm
 - Optimized heuristic static scheduling algorithm
(status comparisons are reduced)
 - **sdf3** scheduling algorithm
- Simulation speed of the models
 - comparison is made between generic DE implementation and static scheduled implementation.

Experiment Results

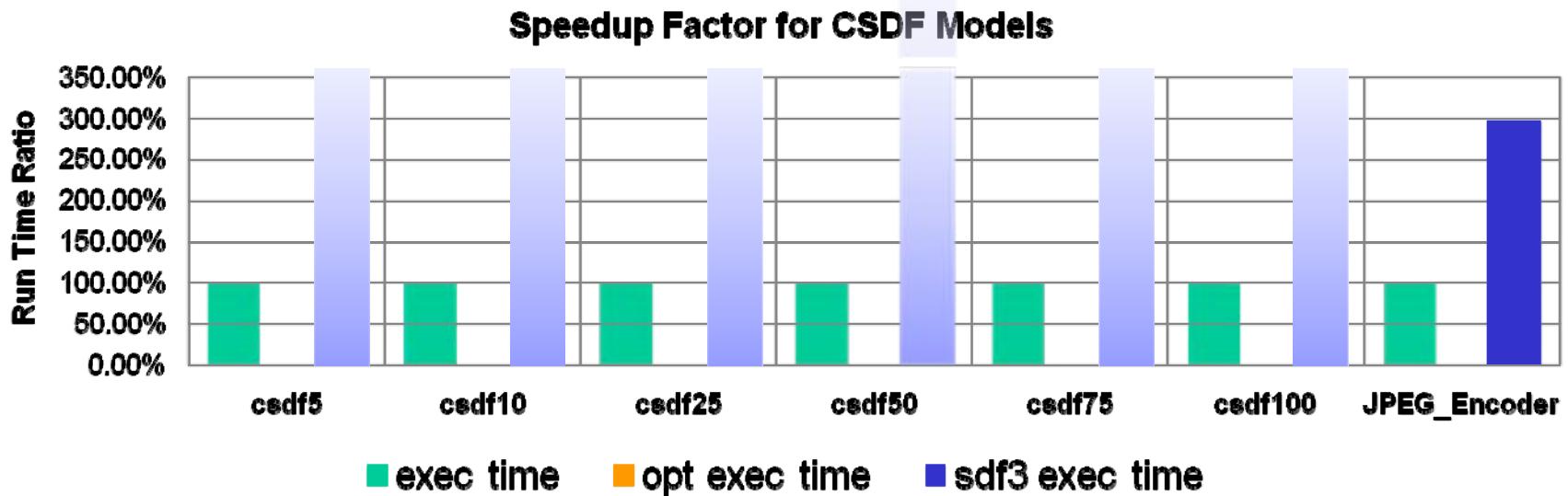
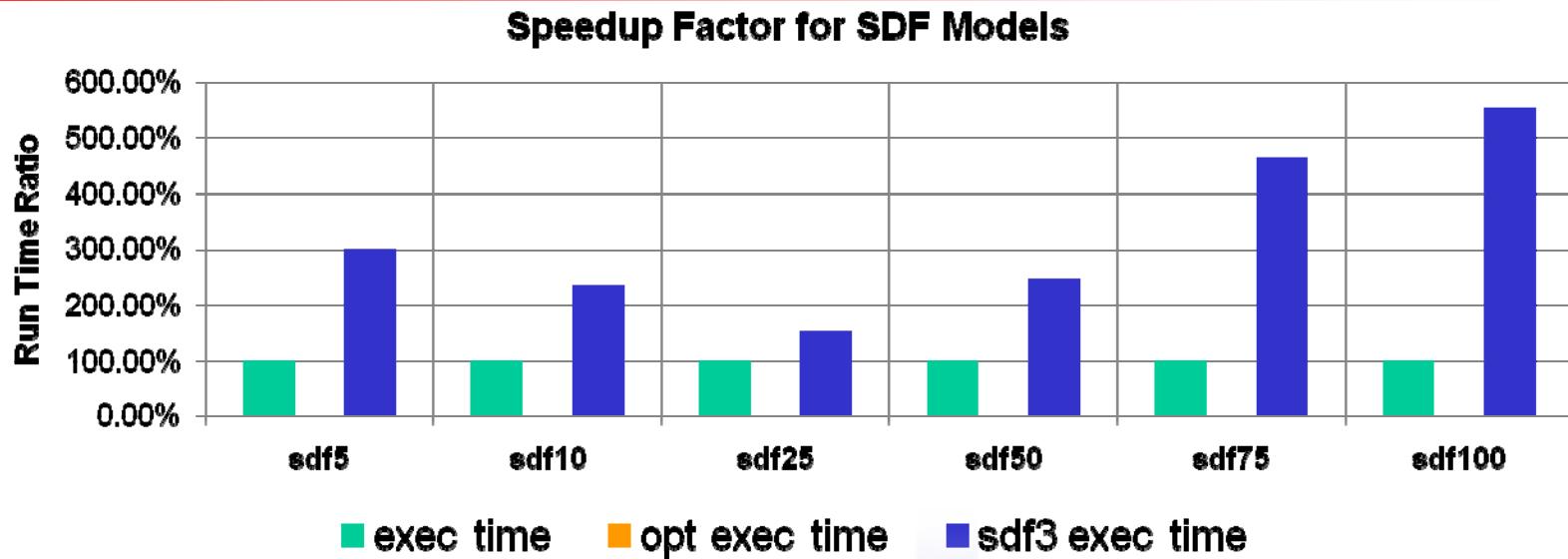
Speedup Factor for SDF Models



Speedup Factor for CSDF Models

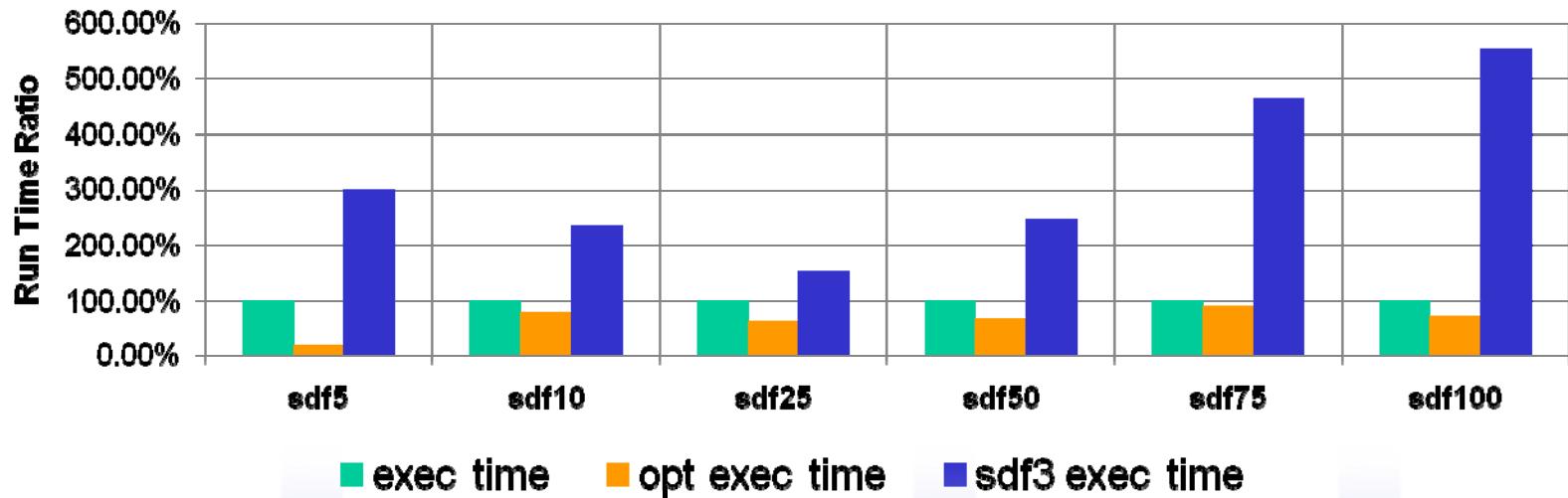


Experiment Results

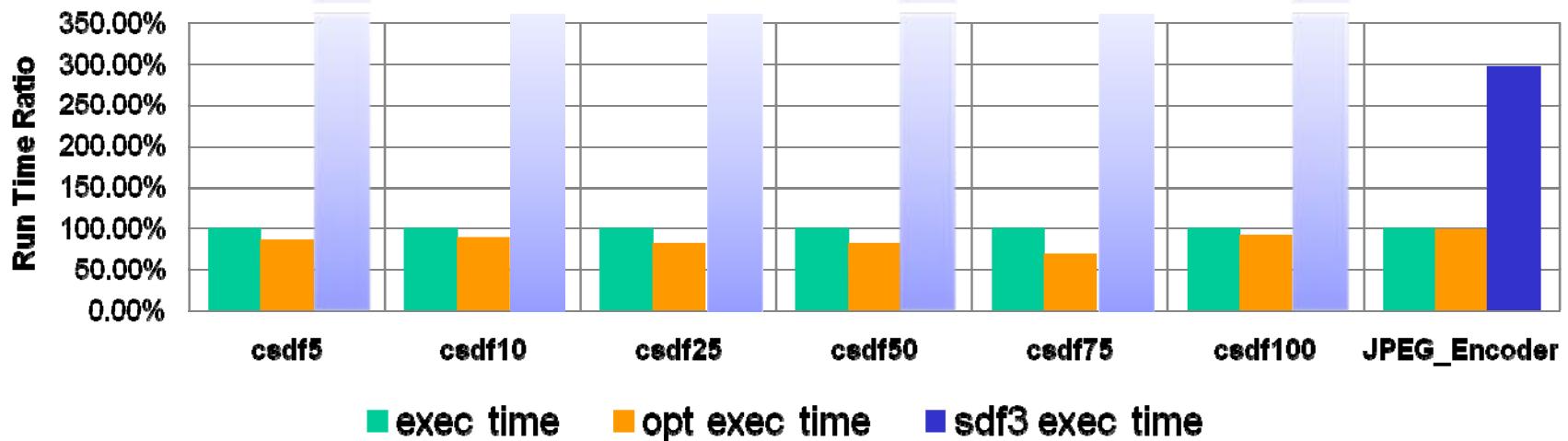


Experiment Results

Speedup Factor for SDF Models

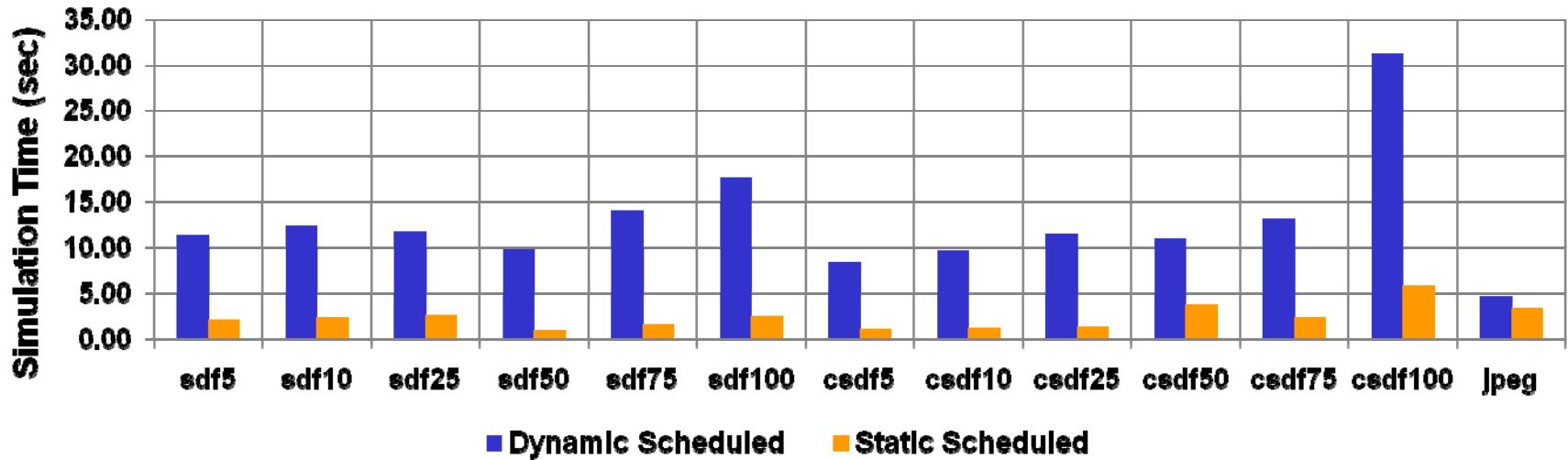


Speedup Factor for CSDF Models

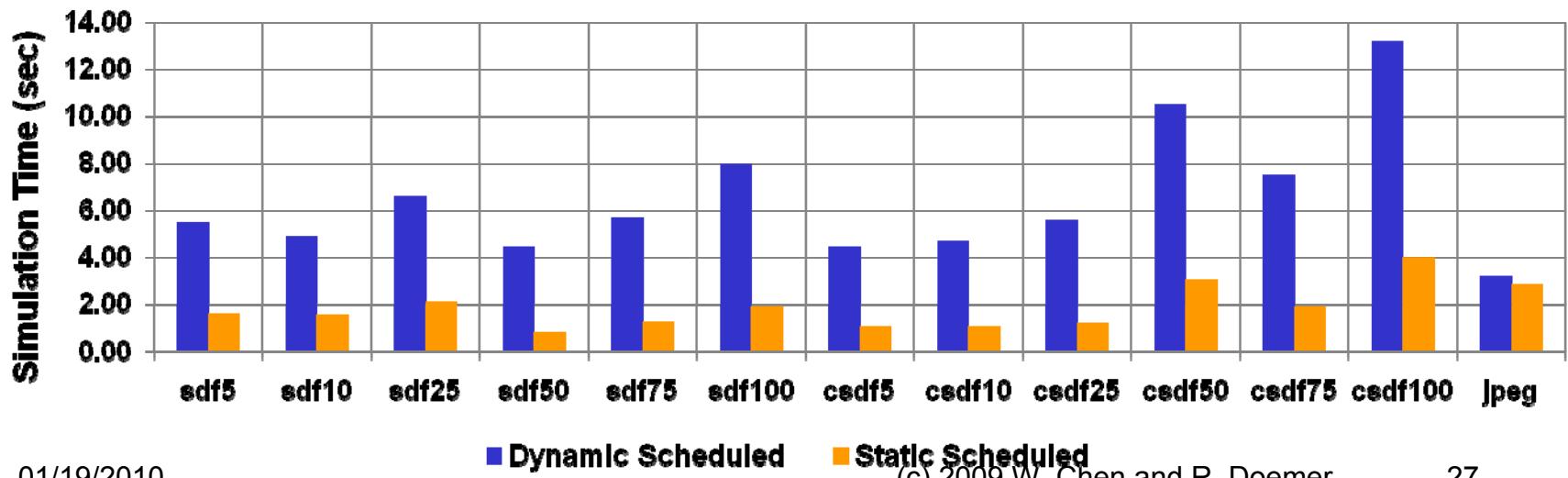


Experiment Results

Simulation Result for the models Implemented In SpeCC



Simulation Result for the models Implemented In SystemC

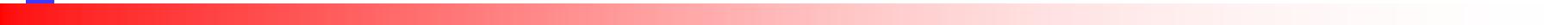


Conclusion and Future Work

- Conclusion
 - A new heuristic scheduling algorithm of periodic ConcurrenC models are discussed.
 - The algorithm achieves speedup than classic matrix-based algorithms and can handle large models which cannot be handled by the previous algorithm in reasonable time.
 - Static Scheduling helps to improve the simulation speed of periodic ConcurrenC models.
- Future work
 - Support for timing information in ConcurrenC blocks.
 - Extend this scheduling strategy into a distributed simulation environment.

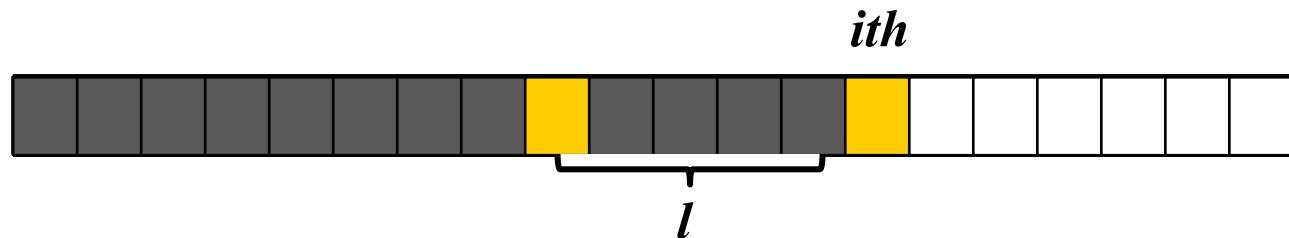


backups



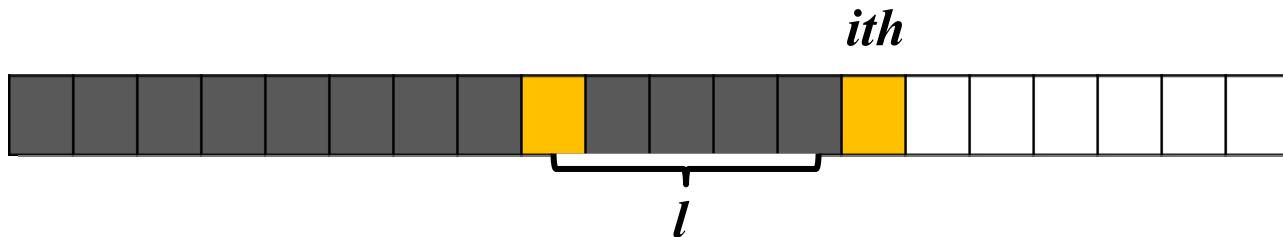
Algorithm Performance Optimization

- Main idea: Reduce the time of status comparison.
- length of PASS is l , PASS is found at ith scheduling step
 - Number of comparisons without optimization: $i(i-1)/2$



Algorithm Performance Optimization

- Main idea: Reduce the time of status comparison.
- length of PASS is l , PASS is found at i th scheduling step
 - Number of comparisons without optimization: $i(i-1)/2$



- Compare every N steps, PASS is found at tN th scheduling step ($tN \geq i$), the length of PASS is still l (proved in the paper).
 - Number of comparisons without optimization: $t(t-1)N/2$
 - Speedup for comparison is almost N .

