

Accurate Remaining Range Estimation for Electric Vehicles

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Outline

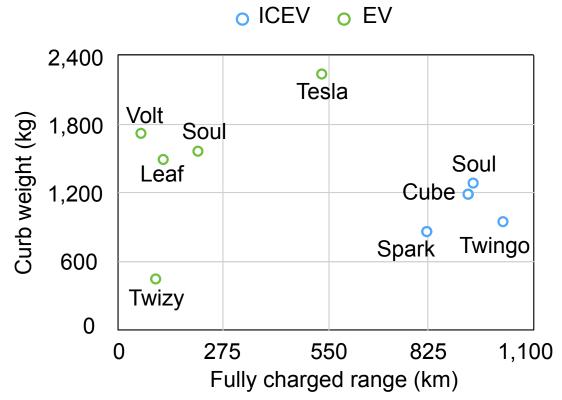
- Motivation: Remaining range estimation
- Related works
- Our framework
- Experiment
- Conclusion

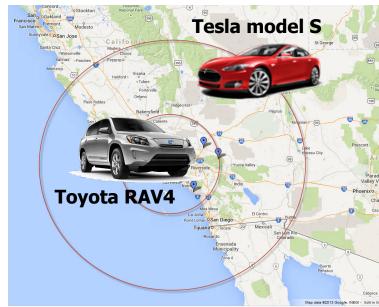




Fully Charged Ranges of EV

- Electric vehicles are emerging with their great advantages, but EV drivers suffer from the short driving range
- EV have 5X shorter fully charged ranges than that of ICEV (Internal Combustion Engine Vehicles)







Range Anxiety

- Range anxiety is the fear that a vehicle may not have sufficient energy to reach its destination
- The range anxiety comes from the uncertainty of the remaining range
- Modern fuel gauges show the remaining range but it's only based on the driving history (past fuel consumption)







Range Anxiety in EV

- Most of the electric vehicle drivers always suffer from the range anxiety
 - Limited EV charging facilities, long charging time
 - Running out of battery while driving gives the same inconvenience as the vehicle breakdown





Range Anxiety in EV

- The statistics says that most of the EV drivers attempt only 70% of the estimated driving range with confidence
- The range anxiety in EV make the effective driving range of the EV even shorter
- Efforts to mitigate range anxiety
 - More EV charging facility, higher density batteries, fast charging, and range extender
 - Above solutions are time consuming or high cost







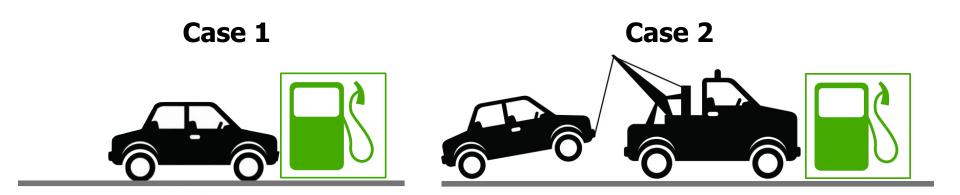
Rav4 EV 112 km 160 km Model S 300 km

420 km

Twingo 1000 km

Paper Contribution

- In this paper, we provide accurate range estimation
- It mitigates the uncertainty of the driving range alleviates the range anxiety
- It restores the reserved range and extend the effective driving range
- Same effect of extended range without increasing the battery capacity



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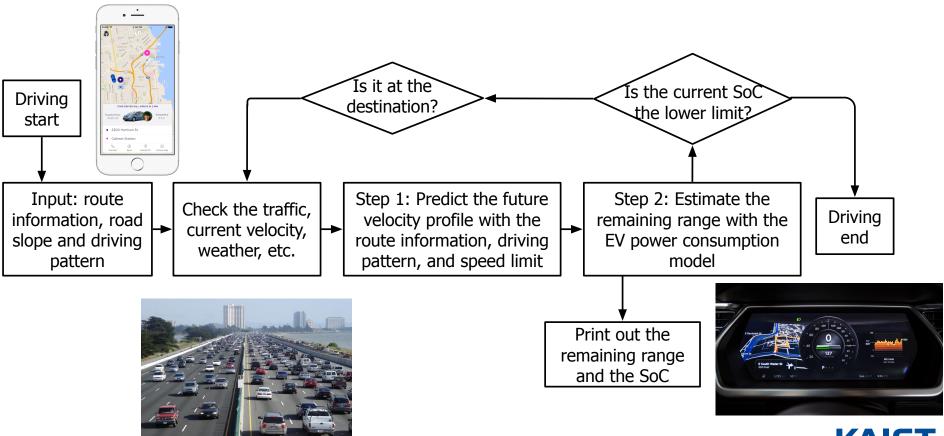
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 - History based RR
 - Model based RR
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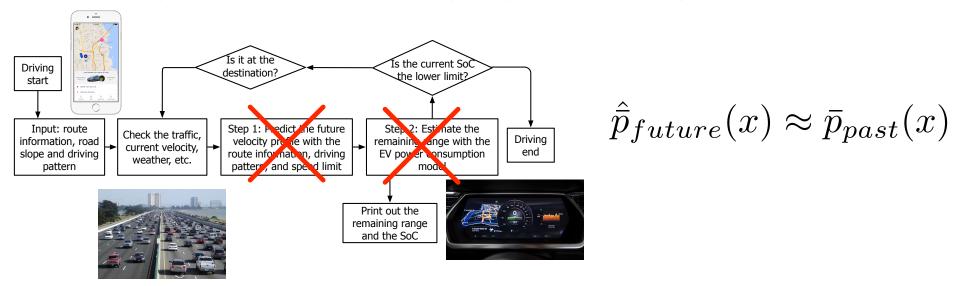
RR Estimation Framework

The general remaining range framework can be simplified as following figure



History Based RR

 History based remaining range estimation assumes the future power consumption is the same as the past power consumption



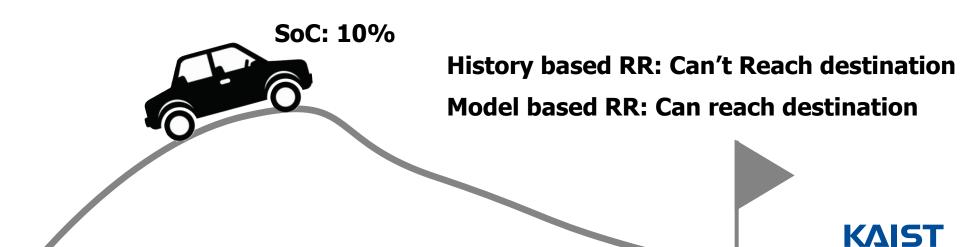
Some works used regression based algorithm to improve the estimation accuracy

$$\hat{\bar{p}}_{future}(x) = \hat{y}(x) * \bar{p}_{Long}$$



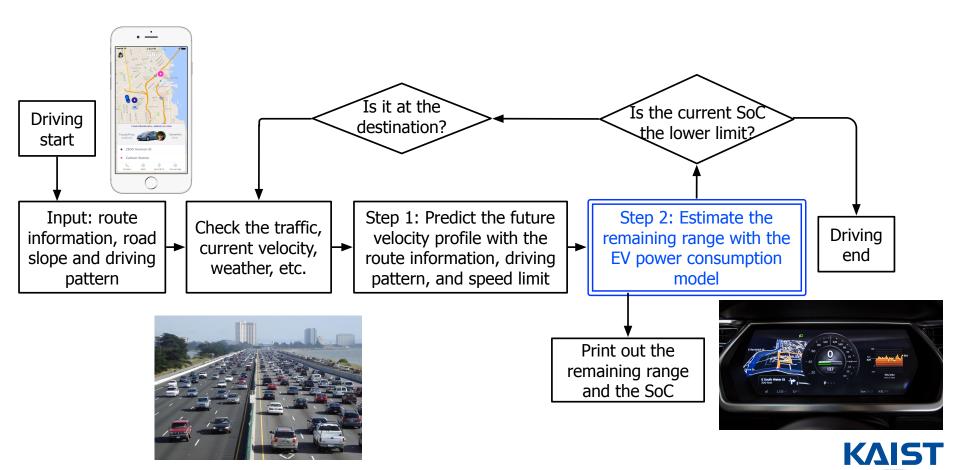
Model Based RR

- Model based remaining range estimation is naturally more accurate than the history based estimation
- There are some works about the model based range estimation
- They focused on predicting the future driving profile, but left the power model simplified



Paper Contribution

In this paper, we focus on an accurate EV power model to achieve an accurate remaining range estimation



CAD4X DAOT

Outline

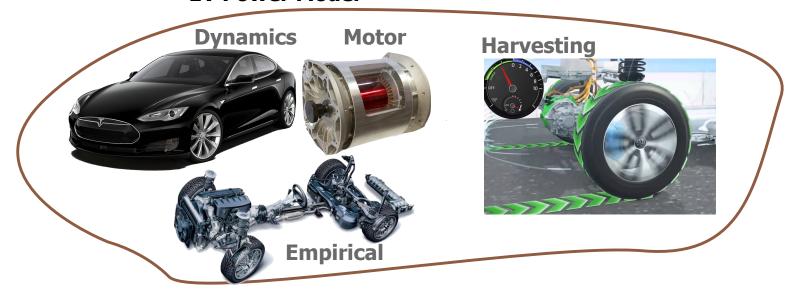
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Proposed Range Estimation

We start with a basic assumption that the future driving profile is given
 EV Power Model



Future driving profile



Battery model



Remaining Range



Vehicle Dynamics Model

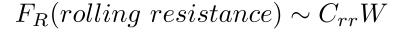
Widely used vehicle power consumption model

$$P_{dynamics} = F \frac{ds}{dt} = Fv$$

$$= (F_R + F_A + F_G + F_I + F_B)v$$

$$\approx (F_R + F_G + F_I)v$$

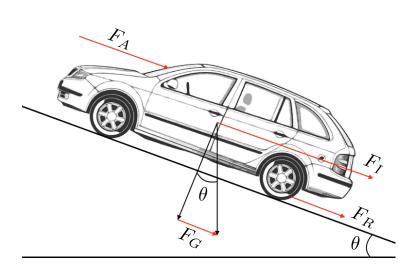
$$\approx (\alpha + \beta \sin\theta + \gamma a)mv,$$



$$F_G(gravitational\ resistance) \sim W \sin \theta$$

$$F_I(inertial\ resistance) \sim ma$$

$$F_A(aerodynamic\ resistance) \sim \frac{1}{2}\rho C_d A v^2$$





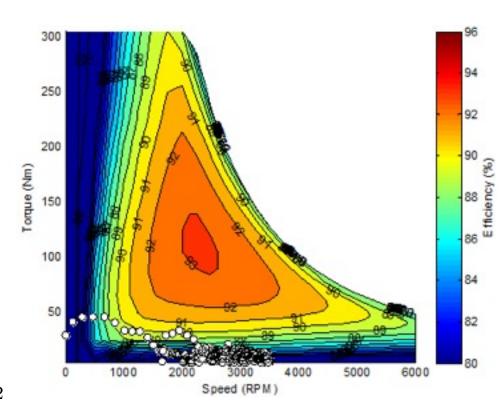
Proposed Advanced Dynamics Model

Motor efficiency actually differs dynamically according to the operating status

$$\eta = \frac{P}{P + k_i \omega + k_w \omega^3 + k_c Q^2 + C}$$

 $F_i(Iron\ and\ friction\ loss) \sim k_i \omega$ $F_w\ (Windage\ loss) \sim k_w \omega^3$ $F_c\ (Copper\ loss) \sim k_c Q^2$ $Constant\ loss \sim C$

$$T = P/v = (\alpha + \beta sin\theta + \gamma a)m$$
$$P_{advanced} = Tv + C_0 + C_1v + C_2T^2$$



MAGSOFT corporation

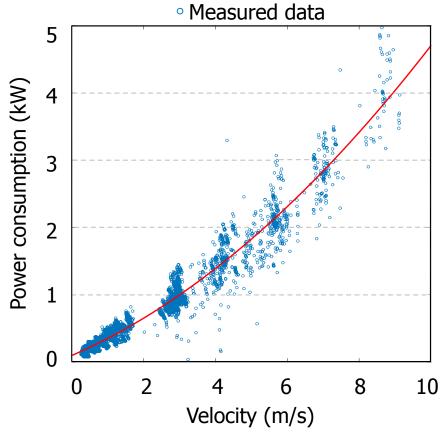


Proposed Hybrid Power Model

- Advanced dynamics model ignores the drivetrain and ancillary losses in the estimation
- A pilot experiment to verify the adequacy of the advanced dynamics model
- Finally, we propose the hybrid power model including the quadratic term from empirical data

$$T = P/v = (\alpha + \beta \sin\theta + \gamma a)m$$

$$P_{hybrid} = Tv + C_0 + C_1v + C_2v^2 + C_3$$





Regenerative braking model

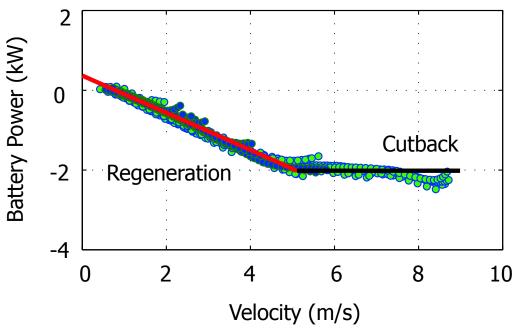
- One of the most commonly used energy harvesting methods in the EV is regenerative braking
- The regenerative braking comes from the electromagnetic induction

$$P_{induction} \propto \omega$$

Regenerative power can be modeled as follows

$$P_{regen} = \delta v - \epsilon$$

= $(460.53 \ J/m)v - (333.92 \ J/s)$





Power Models

Vehicle dynamics model

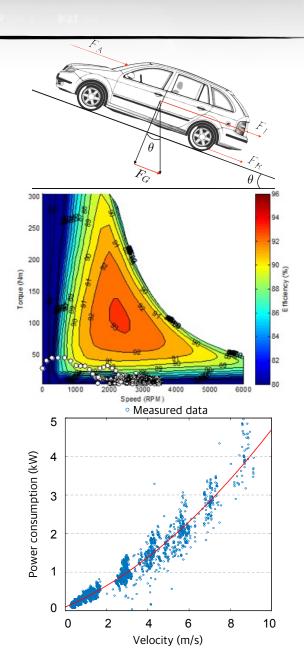
$$P_{vehicle} = (\alpha + \beta sin\theta + \gamma a)mv$$

Advanced dynamics model

$$T = P/v = (\alpha + \beta sin\theta + \gamma a)m$$
$$P_{advanced} = Tv + C_0 + C_1v + C_2T^2$$

Hybrid power model

$$T = P/v = (\alpha + \beta \sin\theta + \gamma a)m$$
$$P_{hubrid} = Tv + C_0 + C_1v + C_2v^2 + C_3T^2$$



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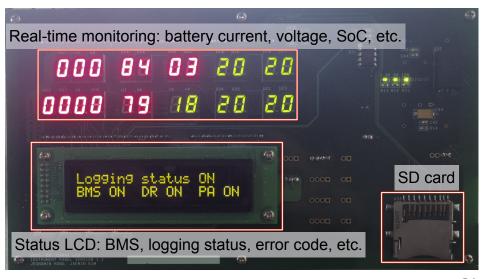
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Specification of the target vehicle

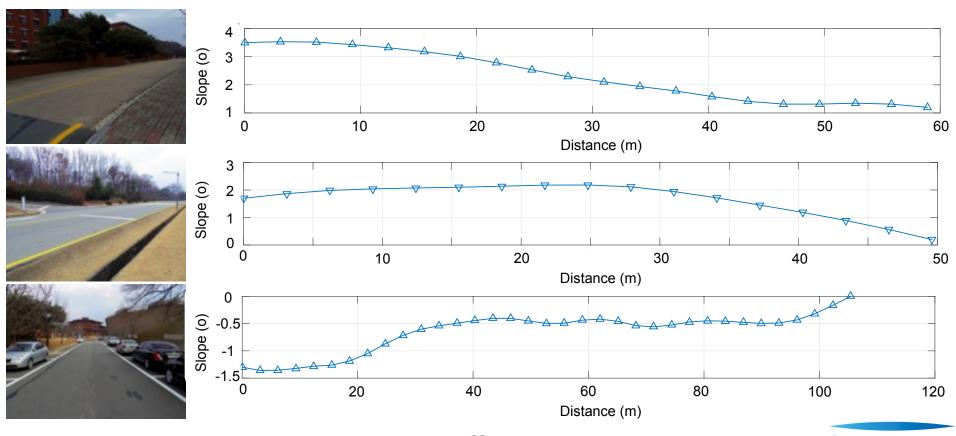
- We use a light-weight custom EV to verify the accuracy of power modeling and remaining range estimation
- Specification
 - Curb weight: 481 kg
 - Maximum velocity: 35 km/h
 - 76.8 V, 48 Ah LiFePO4 battery pack





Data logging

- We chose a regression based approach for the modeling
- For the model fidelity, we collect 6000s of driving data from various routes



Power consumption model

Vehicle dynamics model

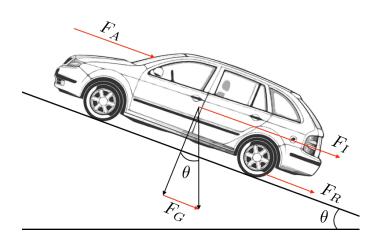
$$T = (\alpha + \beta sin\theta + \gamma a)m,$$

 $P_{dynamics} = Tv$
 $\alpha = 0.59, \beta = 12.63, \gamma = 1.46.$



$$P_{advanced} = Tv + C_0 + C_1v + C_2T^2,$$

 $\alpha = 0.33, \beta = 10.70, \gamma = 1.09,$
 $C_0 = 5.28, C_1 = 118.55, C_2 = 0.0017.$





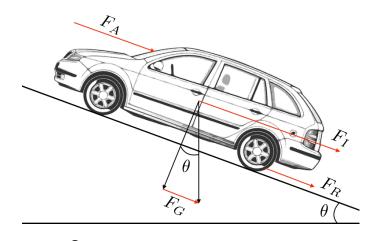
Power consumption model

Vehicle dynamics model

$$T = (\alpha + \beta \sin\theta + \gamma a)m,$$

$$P_{dynamics} = Tv$$

$$\alpha = 0.59, \beta = 12.63, \gamma = 1.46.$$



Hybrid power model

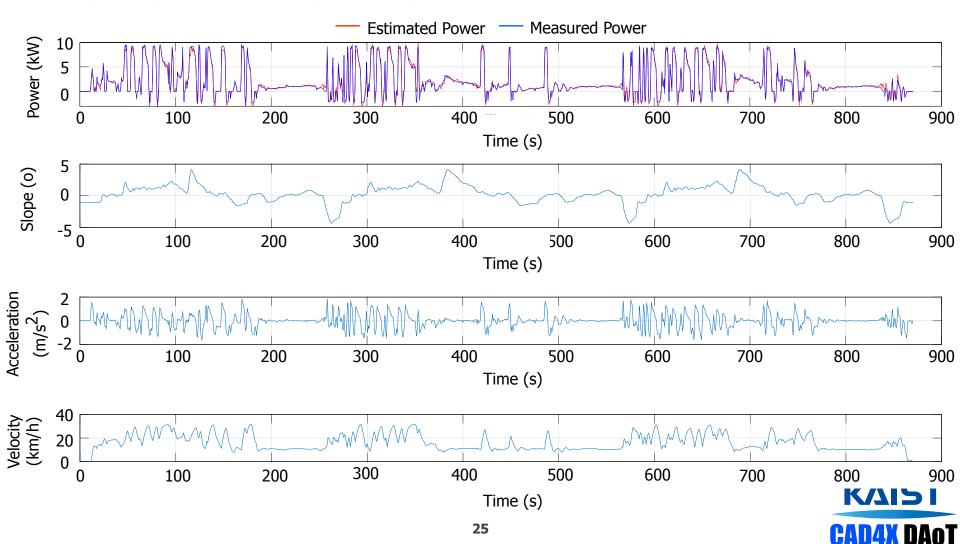
$$P_{hybrid} = Tv + C_0 + C_1v + C_2v^2 + C_3Q^2,$$

 $\alpha = 0.32, \beta = 10.11, \gamma = 1.08,$
 $C_0 = 5.28, C_1 = 7.39, C_2 = 20.62, C_3 = 0.0019.$



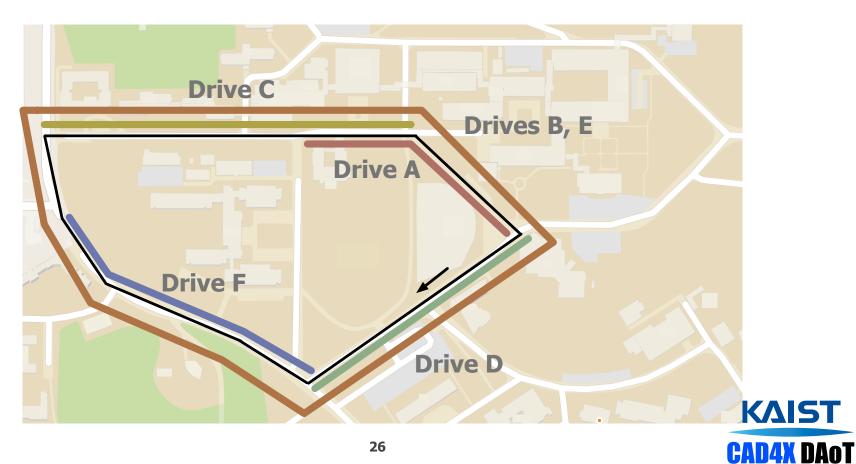
Model validation result

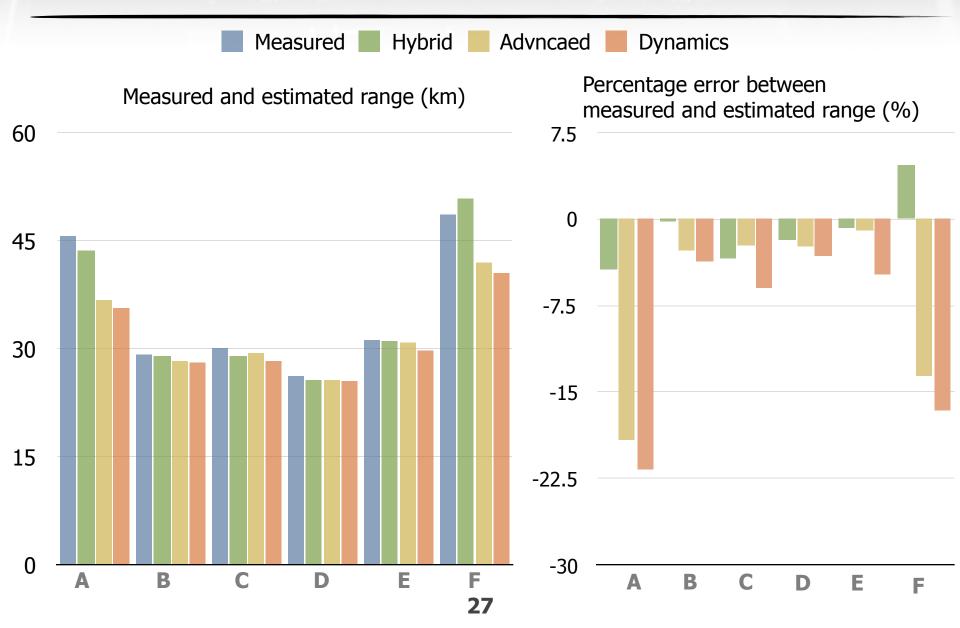
Hybrid power model yield only 3.78 % error



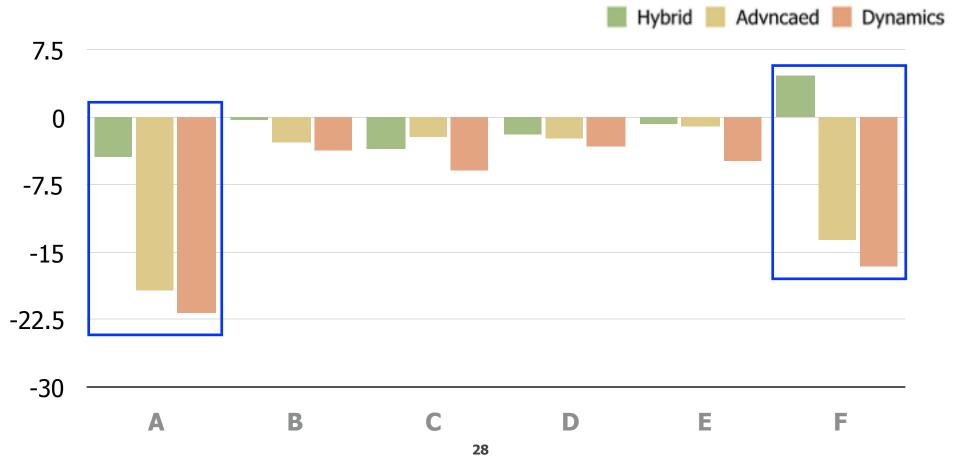
Test bench drives

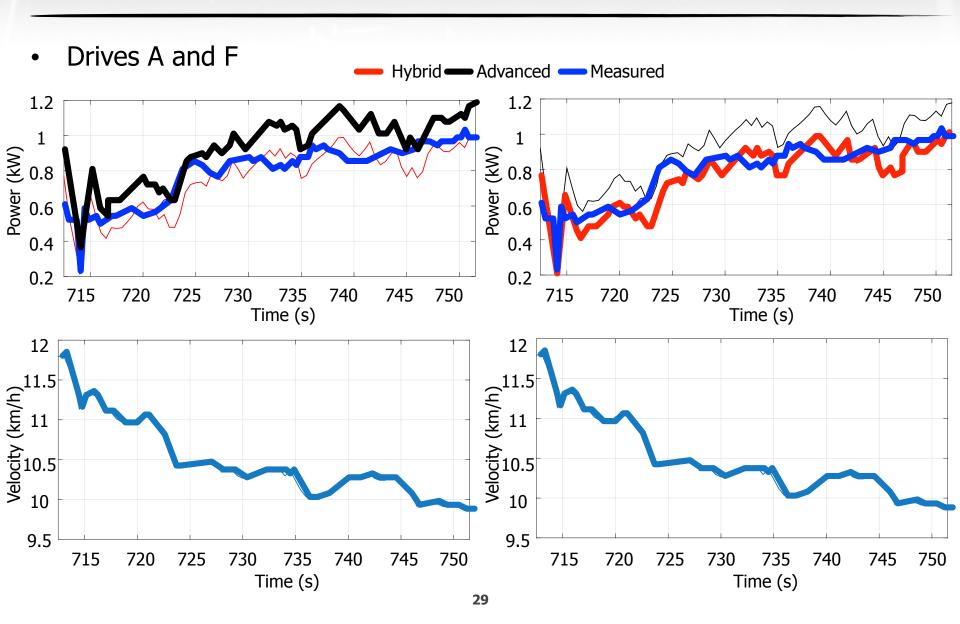
- We perform 6 test bench drives for the remaining range estimation
- Each drives were performed in different driving manner



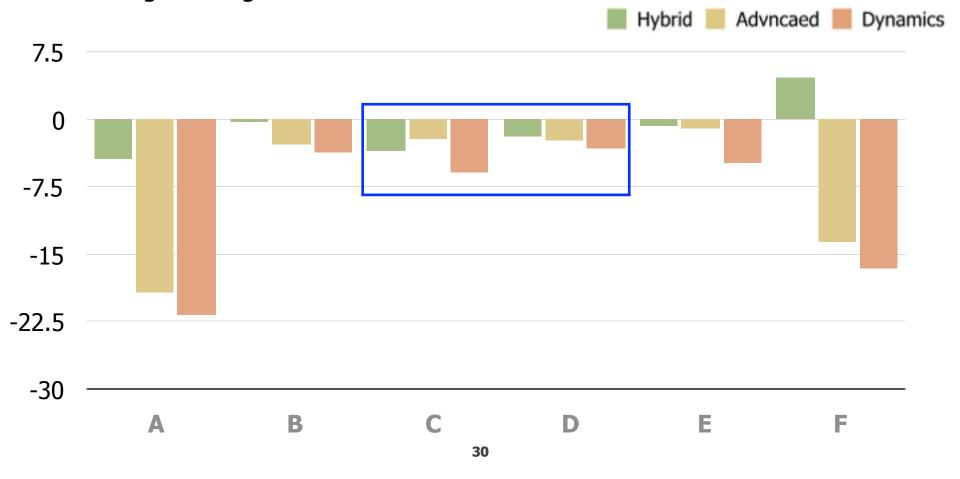


- Drives A and F
 - Speed range: bellow 11.5 km/h
 - Degree range from -0.6° to 0.9°

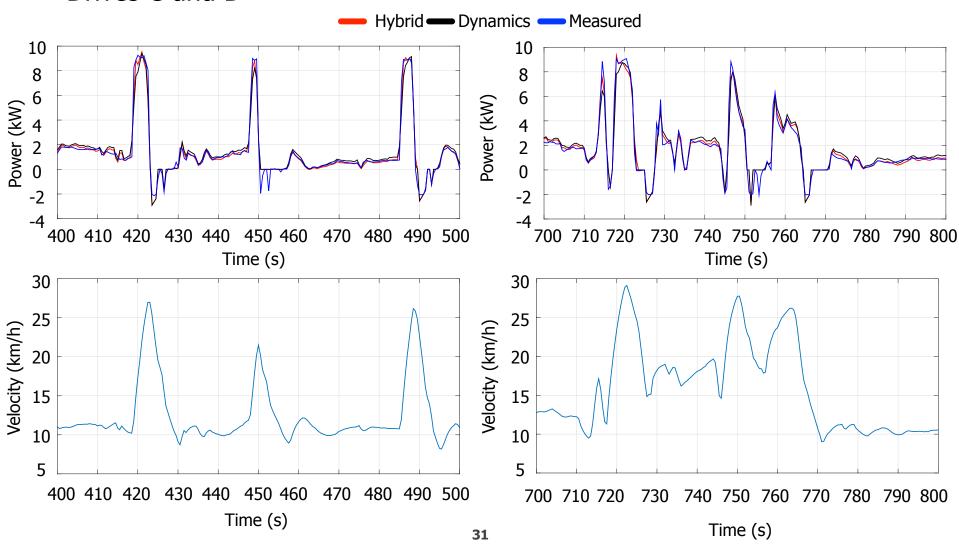




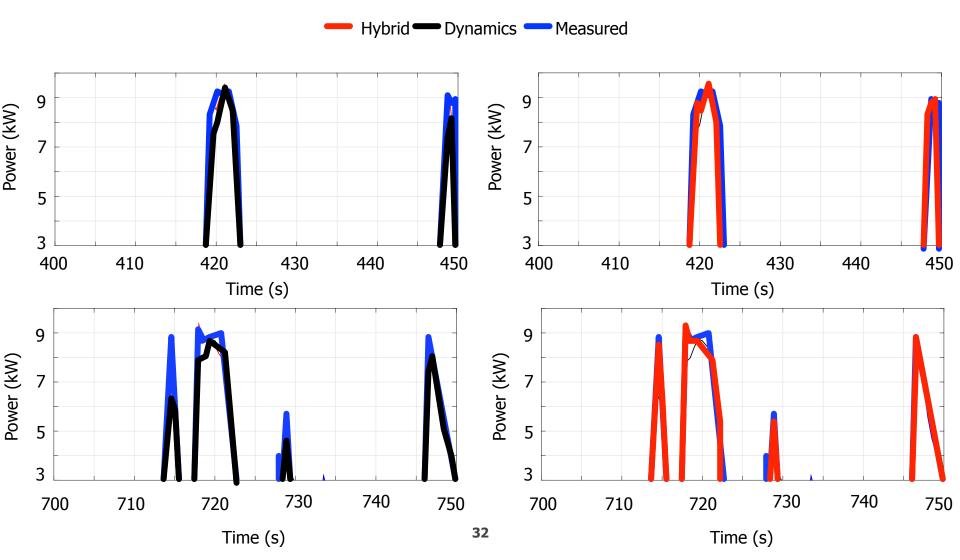
- Drives C and D
 - Speed range: 5 km/h to 32 km/h
 - Degree range: -0.6° to 0.85°



Drives C and D



Closer look at drives C and D



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Conclusions

- We achieve higher remaining range accuracy
- The absolute average errors for hybrid power model, advanced dynamics model, and vehicle dynamics model are 2.52%, 6.85%, 9.33% respectively
- The hybrid power model shows increased estimation accuracy not only in the total remaining range, but also in the instantaneous power estimation







Electric conversion













High speed custom EV





